

## Supplementary Material

### Vital capacity estimation

The procedure had the purpose of testing the accuracy of the force sensor to estimate the vital capacity (VC). It included 10 adult participants (4 females and 6 males) with a mean  $\pm$  SD age  $39 \pm 10$  years, height  $177 \pm 9$  cm and weight  $77 \pm 8$  kg. All participants were recruited by convenience sampling. They conducted a series of six slow vital capacity (SVC) maneuvers, allowing for normal breathing intervals in between. The measurements of SVC were recorded using a spirometer (Compact Expert, Vitalograph, Buckingham, UK) while the participants were in a seated position.

### VC estimation results

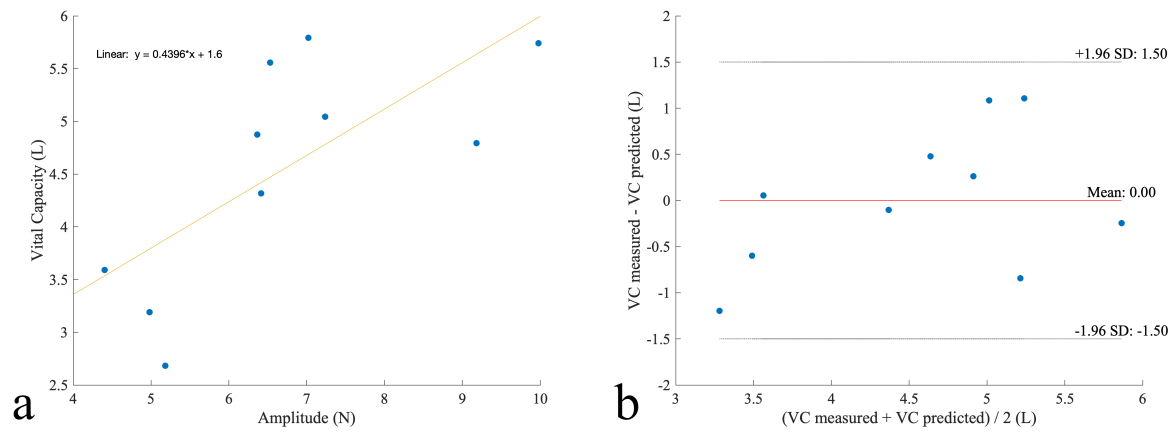
The VC did not change across the tests ( $p = 0.051$ ; Table S1) nor the amplitude in the signal from the force sensor ( $p = 0.123$ ; Table S1). The VC was  $4.6 \pm 1.1$  L, and the amplitude was  $6.7 \pm 1.8$  N.

**Table S1. Values of VC and registered amplitude by the force sensor during six tests.**

|                    | Test 1        | Test 2        | Test 3        | Test 4        | Test 5        | Test 6        |
|--------------------|---------------|---------------|---------------|---------------|---------------|---------------|
| Vital capacity (L) | $4.3 \pm 1.1$ | $4.5 \pm 1.1$ | $4.5 \pm 1.1$ | $4.6 \pm 1.1$ | $4.7 \pm 1.0$ | $4.7 \pm 1.1$ |
| Amplitude (N)      | $6.5 \pm 2.0$ | $6.7 \pm 2.0$ | $6.6 \pm 1.7$ | $6.7 \pm 1.5$ | $7.2 \pm 1.8$ | $6.7 \pm 2.0$ |

L, liters; N, Newton

There was a strong correlation between variables  $r_s = 0.712$ ,  $p = 0.021$ . The equation for predicted VC was  $= (0.4396 \times \text{Amplitude}) + 1.6$  (Figure S1a). The difference between measured VC and the predicted VC was  $0.00 \pm 0.7$  L (Figure S1b).



**Figure S1.** Comparison between VC and amplitude values from the force sensor (a), with yellow line showing the regression line and formula. Bland-Altman plot of the difference between VC and predicted VC (b), the dotted lines represent the upper limit of agreement (mean + 1.96 SD) and lower limit of agreement (mean - 1.96 SD); L, liters; n = 10