



Theoretically Modified Optical Length **Research on the Physical Boundary of** the Double-Heterogeneous System

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Because of the double-heterogeneity (DH), dispersed particle-type systems cannot be described by traditional neutronic programs, and the volumetric homogenization method (VHM) will bring reactivity calculation deviation because of ignoring the spatial self-shielding effect of the particles. In this article, the relationship between the reactivity calculation deviation and the optical length of dispersed particle-type fuel and different types of burnable poisons is analyzed. Also then, it was proposed that the influencing factors of reactivity calculation deviation can be integrated to a physical quantity named theoretically modified optical length containing the influencing factors mentioned earlier. In addition, the DH physical boundary has forward that, when the theoretically modified optical length is larger than 10⁻⁴, reactivity calculation deviation of volumetric homogenization method will be larger than 100 pcm, and the DH of the dispersed particle-type systems should be considered.

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INTRODUCTION

Particle-dispersed fuel can contain fission products under high temperature and deep burnup conditions and block the release of fission gas and fission fragments out of the fuel pellets. Because of its accident resistance and inherent safety, it has been widely used in fully ceramic microencapsulated (FCM) fuel (Cole and Maldonado, 2013; Xiang et al., 2014) of pressurized water reactors and the tristructural isotropic (TRISO) particle fuel of high-temperature gas-cooled reactors (Zhai et al., 2004; Zhang et al., 2021).

Particle-dispersed burnable poisons can increase the surface compatibility between the dispersed particles and the matrix by adding a coating layer on the surface of the particles and can improve the flexibility of the use of burnable poison. At the same time, because of the space self-shielding effect of the burnable poison particles, its burn speed is relatively slower than when a burnable poison is uniformed dispersed. So, the appropriate particle-dispersed burnable poison can be selected by selecting the type and particle size of the burnable poison to improve the flexibility of reactivity control (van Dam, 2000a; van Dam, 2000b; Kloosterman, 2003; Talamo, 2006).

Particle-dispersed fuels and burnable poisons have gradually attracted attention and applications due to the excellent characteristics mentioned earlier, but they have doubleheterogeneity (DH), which cannot be described by traditional neutronic calculation programs (Sanchez and Pomraning, 1991; Hébert, 1993; Kim et al., 2005; Zhang et al.,

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TABLE 1 | Main parameters of fuel cell.

Parameters	Values
Pitch, cm	1.26
Radius of fuel region, cm	0.4096
Thickness of air gas, cm	0.0084
Thickness of zirconium clad, cm	0.057
Density of zirconium clad, g/cm ³	6.5
Density of moderate H ₂ O, g/cm ³	1.0

2017a; Zhang et al., 2017b). The so-called DH refers to the heterogeneity of the core, cladding, and moderator on the macroscopic level and the heterogeneity of the dispersed particles and the matrix on the microscopic level. The traditional neutronic calculation program can only describe the macroscopic heterogeneity, and the simplest processing method for the DH is the Volumetric Homogenization Method (VHM), that is, the dispersed particles and the matrix are homogenized according to the volume weight, and then, the traditional neutronic calculation program can be used to model and calculate. In the world, a variety of types of DH processing methods have been proposed, e.g., the Sanchez-Pomraning method (Hébert, 1993; Sanchez and Pomraning, 1991) implemented in Dragon and Apollo, the reactivity equivalent-physical transformation method (Lei and Dong, 2020; Li et al., 2018) for treating the FCM (Kurt, 2012) fuel in advanced pressurized water reactor, and the equivalent homogenization method (She et al., 2017) implemented in VSOP (Teuchert et al., 1994) and PANGU (She et al., 2018; She et al., 2021) for treating the TRISO type fuel in hightemperature gas-cooled reactors.

Because the dispersed particles have a spatial self-shielding effect, the materials inside the particles cannot reflect the neutron absorption effect, and the direct use of the VHM will bring a certain degree of reactivity calculation deviation. It is necessary to study the size and influencing factors of the reactivity calculation deviation of the VHM and finally give the DH physical boundary of the dispersed particle system and point out when the VHM can be used for directly processing and when the DH of the system must be considered.

CALCULATION OBJECT

The Monte Carlo program RMC (Wang et al., 2013) developed by Tsinghua University is used to model the random distribution of dispersed particles. A schematic diagram of the random distribution of dispersed particles in the matrix is shown in **Figure 1**.

To analyze the spatial self-shielding effect of dispersed particles, a fuel cell is structured as the calculation model, and the main parameters of the fuel cell are shown in **Table 1**.

First, the fuel particles with different enrichments, volume fractions, and particle radii are dispersed in the zirconium matrix, and the calculation deviation of the VHM of the dispersed fuel is analyzed. Then, the burnable poison particles of different burnable poison types, particle sizes, and volume fractions are dispersed in the fuel matrix with different enrichments, and the calculation deviation of the VHM of the particle-dispersed burnable poisons is analyzed. The detailed calculation parameters are shown in **Table 2**.

It should be noted that the calculation deviation of VHM in this paper is the reactivity calculation deviation between the grain model and the VHM model of RMC, and the calculation deviation caused by different programs can be ignored. The grain model is performed by the dispersion particle calculation function in RMC, which can simulate the random distribution of dispersed particles. Also, the variance of the results obtained by RMC remains within 0.0003, which is equivalent to 30 pcm, to maintain the accuracy of the calculation results.

CALCULATION DEVIATION ANALYSIS OF VOLUMETRIC HOMOGENIZATION METHOD

Particle-Dispersed Fuel

To analyze the reactivity calculation deviation of VHM on particle-dispersed fuel, in this section, the calculation cases cover three influencing factors, which is the fuel volumetric fraction in the range of 3–30%, the fuel enrichment in the range of 10–90%, and the particle radius in the range of 100–400 μ m. Although 3–10% of the fuel volumetric fraction is difficult to encounter in engineering, here is a regular study for

TABLE 2 | Parameters of particle-dispersed fuel and burnable poisons.

Parameters	Values
Types of burnable poisons	Ag/In/Cd/Hf/B ₄ C/Dy ₂ O ₃ /Er ₂ O ₃ /Eu ₂ O ₃ /Gd ₂ O ₃
Radius of burnable poison particle, µm	10–250
Volumetric fraction of burnable poison particles, %	1–10
Type of fuel matrix	UO ₂
Enrichment of fuel, %	10–90
Type of fuel particle	UO ₂
Radius of fuel particle, µm	100–400
Volumetric fraction of fuel particles, %	3–30
Enrichment of fuel particle core, %	10–90
Matrix of dispersed particle system	Zr

considering extreme cases. The main calculation results are shown in **Figure 2**, in which E10–E90 indicates that the enrichment degree is 10–90%. Each figure shows the reactivity calculation deviation curve with particle size between the VHM and particle model of the Monte Carlo program under different fuel volumetric fractions and different fuel enrichment.

It can be seen from **Figure 2** that when the fuel volumetric fraction is 3 or 5%, if the dispersed particle radius is 100 μ m, the calculation deviation of VHM will be greater than 100 pcm. Also, when the fuel volumetric fraction is 10%, even if the dispersed particle radius reaches 400 μ m, the calculation deviation of the VHM is still less than 100 pcm. In addition, when the fuel volumetric fraction continues to increase to 20–30%, if the fuel enrichment is 90% and the radius of the dispersed particles is greater than 200 μ m, the calculation deviation of VHM will be greater than 100 pcm.

If the radius of the dispersed particles is less than 100 μ m and the fuel volumetric fraction is 10–30%, the calculation deviation of VHM will be less than 100 pcm, and there is no need to consider the DH. Also, if the radius of the dispersed particles is 250 μ m, which is the typical size of the TRISO particle core, the fuel enrichment is higher than 20%, the calculation deviation of VHM will be greater than 100 pcm, and DH needs to be considered.

For dispersed UO_2 particles, the calculation deviation of VHM decreases with the increase of the volumetric fraction of the dispersed particles, and the calculation deviation is the smallest at approximately 10% of the volumetric fraction. Also, the calculation deviations of VHM will increase with the increase of the size of the dispersed particles and the fuel enrichment.

The volumetric fraction of the dispersed fuel particles affects the probability that the neutrons flying out of the fuel particles will encounter the fuel particles again in the matrix, which may affect the self-shielding effect. As the calculation deviation of the VHM does not change significantly in the range of 10–30%, the in-depth analysis of the influencing factors of the volumetric fraction will not be done here.

Particle-Dispersed Burnable Poison

To comprehensively analyze the size of the DH of the cells containing different particle-dispersed burnable poison materials, in this section, the calculation deviations of different types of burnable poison particle systems will be compared, and the factors of different matrix fuel enrichment and poison particle volumetric fraction will be considered. Also, then, the calculation deviation of VHM with the particle radius will be analyzed. The main results are shown in **Figure 3**, in which "E90%V1%" indicates that the matrix fuel enrichment is 90%, and the volumetric fraction of burnable poison is 1%.

From the calculation results in **Figure 3**, it can be seen that the self-shielding effect of the dispersed particles of different burnable poison materials is different due to the different absorption cross-sections. The horizontally comparing results of different burnable poison materials show that when the fuel enrichment is 90% and the dispersed burnable poison volumetric fraction is as small as 1%, the DH of the system is the smallest. To ensure that the calculation deviation of the VHM is still less than 100 pcm, the radius of the dispersed B_4C , Er_2O_3 , Dy_2O_3 , and Ag particles needs to be less than 20 μ m. Therefore, in most cases of burnable poison particles, the calculation deviation of the VHM is relatively large, and its DH should be considered.

For different burnable poison materials, under the same particle size, particle volumetric fraction, and matrix fuel enrichment, the reactivity calculation deviation of the VHM is directly related to the absorption cross-section of the burnable poison. The larger the absorption cross-section, the stronger the self-shielding effect of the particles and the DH of the system, and the larger the deviation of the reactivity calculation of the VHM.

RELATION BETWEEN VOLUMETRIC HOMOGENIZATION METHOD DEVIATION AND OPTICAL LENGTH

Relation Between Self-Shielding of Single Particle and Optical Length

From the analysis of the self-shielding effect of the particledispersed fuel and burnable poisons, it can be seen that the calculation deviation of the reactivity of VHM is related to many factors. To obtain the judgment condition of whether the DH system can be processed by VHM, the material cross-section and particle size of the dispersed particles should be considered comprehensively to the optical length to judge whether the system needs to consider DH (Pogosbekyan and Han, 2007):

$$\left| \Sigma_{\text{matrix}} - \Sigma_{\text{particle}} \right| \cdot d_{\text{particle}} > \varepsilon \tag{1}$$



The formula Σ_{matrix} represents the macroscopic cross-section of the matrix material, and the unit is cm^{-1} . The formula Σ_{particle} represents the macroscopic cross-section of the particle material, and the unit is cm^{-1} . The formula d_{particle} represents the particle diameter, and the unit is cm. The formula ε represents the optical length limit, and it has no unit.

The physical meaning of Eq. 1 is that when the material cross-section of the particle and the matrix differs to a certain degree, it will cause the flux difference between the materials. Also, when the particle size increases to a certain degree, the internal flux gradient inside the particle will also be caused by the space self-shielding effect. In addition, when the flux

difference is greater than a certain level (10% is generally considered), the calculation deviation of VHM will not be negligible, and so, the general optical length limit of **Eq. 1** is 0.1. When the inequality relationship in **Eq. 1** holds, the DH effects of the system need to be considered.

Relation Between Self-Shielding of System and Optical Length

The calculation formula discussed earlier of the optical length only considers the effect between the matrix and a single particle and does not consider the influence of the mutual





shielding effect between the particles on the cross-section, especially the resonance interference effect between the particles. After analysis, **Eq. 1** can be revised as **Eq. 2**:

$$\begin{split} |\Sigma_{matrix} - \Sigma_{particle}| \cdot d_{particle} & \cdot \frac{\sqrt{V_{particle}}}{10} > \tilde{\epsilon}, UO_2 \text{ fuel particle,} \\ |\Sigma_{matrix} - \Sigma_{particle}| \cdot d_{particle} & \cdot \frac{\sqrt{V_{particle}}}{E_{matrix}} > \tilde{\epsilon}, \text{ resonance particle such as } Gd_2O_3, \\ |\Sigma_{matrix} - \Sigma_{particle}| \cdot d_{particle} & \cdot \frac{\sqrt{V_{particle}}}{E_{matrix}} > \tilde{\epsilon}, \text{ no resonance particle such as } B_4C. \end{split}$$
(2)

The formula $\Sigma_{\text{matrix}} E_{\text{matrix}}$ represents the enrichment of the matrix fuel, without units and ranging from 0 to 1.0. The formula V_{particle} represents the volumetric fraction of dispersed particles, without units and ranging from 0 to 1.0. The formula $\tilde{\epsilon}$ is the modified optical length limit, without units. Here, $\tilde{\epsilon}$ and ϵ have similar physical significance, which are used to characterize the size of DH of the system, and some other items are added in the calculation formula $\tilde{\epsilon}$, so the value of $\tilde{\epsilon}$ should be determined by the new numerical calculation results. Also, based on numerical analysis, the result $\tilde{\epsilon}$ should be 10^{-4} .

The theoretically modified optical length takes into account the volumetric fraction of dispersed particles and the enrichment of matrix fuel. For a specific cell, the larger the volumetric fraction of dispersed particles, the stronger the mutual shielding effect between particles, and so, the larger the theoretically modified optical length. For resonant nuclides, when the volumetric fraction of dispersed particles is large, the resonance interference effect between particles needs to be considered. Numerical fitting results show that the theoretically modified optical length is proportional to the square root of the volumetric fraction of dispersed particles for particles containing resonant nuclides, and the theoretically modified optical length is proportional to the volumetric fraction of dispersed particles for particles without resonant nuclides. Also, the theoretically modified optical length has an inverse relationship with the fuel enrichment of the matrix.

For a fuel cell, when the volumetric fraction of particles and the fuel enrichment of the matrix are determined, a very small particle size, such as the radius of 10 μ m, can be used to calculate the material cross-section of the dispersed particles without self-shielding. Also, the cross-section of the matrix is less affected by the size of the dispersed particles and can be taken directly from the cross-section of the matrix when the particle size is 10 μ m. At this time, the value on the left side of the **Eq. 2** is related to the size of the dispersed particles. When the size of the dispersed particles is greater than a certain value, the theoretically modified optical length calculated according to the **Eq. 2** is greater than the limit 10⁻⁴, the calculation deviation of VHM will be greater than 100 pcm, and the DH of the system needs to be considered.

Numerical Results

For the DH system of dispersed particles and burnable poisons described in this article, the relationship between the reactivity calculation deviation of VHM and the optical length or the theoretically modified optical length at different fuel enrichment and the fixed volumetric fraction of dispersed particles is shown in **Figure 4**, Also, then, the relationship between the reactivity calculation deviation of VHM and the optical length or the theoretically modified optical length under a different volumetric fraction of dispersed particles and the fixed matrix fuel enrichment is shown in **Figure 5**. Finally, the relationship between the calculation deviation of VHM and the theoretically modified optical length changes with the matrix fuel enrichment and the volumetric fraction of the dispersed particle is shown in **Figure 6**.

It can be seen from **Figure 4** that after fixing the volumetric fraction of the dispersed particles, while changing the size of the dispersed particles, the reactivity calculation deviation of VHM and the theoretically modified optical length are almost linear at different enrichment of UO_2 fuel particles or fuel matrix. The larger the theoretically modified optical length, the larger the calculation deviation of VHM. The use of theoretically modified optical length can reflect the law of different matrix enrichment better than optical length.

It can be seen from **Figure 5** that after fixing the fuel enrichment, while changing the volumetric fraction of the dispersed fuel particles or burnable poisons, and changing the dispersed particle size at the same time, the reactivity calculation deviation of VHM and the theoretically modified optical length is also almost linear, except for the case where the fuel phase volume is less than 10%. The larger the theoretically modified optical length, the greater the reactivity calculation deviation of VHM. Because the fuel volumetric fraction of less than 10% rarely occurs, we will not analyze it in detail here. The use of theoretically modified optical length can reflect the law of different volumetric fractions of particles better than optical length.

It can be seen from **Figure 6** that the relationship between the reactivity calculation deviation of VHM and the theoretically modified optical length are almost linear when the influence factors of fuel enrichment, particle phase volume, and particle size change. The greater the theoretically modified optical length, the larger the calculation deviation of VHM. When the theoretically modified optical length is 10^{-4} , the cell reactivity calculation deviation deviation of VHM is about 100 pcm.

CONCLUSION

In this paper, by analyzing the reactivity calculation deviation of VHM on particle-dispersed fuel and burnable poisons and its influencing factors, the type of dispersed particles, the type of matrix, the particle size, and other factors are integrated into the optical length, and further research is carried out to integrate the enrichment of fuel matrix and particles, the volumetric fraction of the dispersed particles, and the size of dispersed particles are into the physical quantity of the theoretically modified optical length, and the judgment methods of the particle-dispersed fuel and burnable poisons are integrated into a calculation formula, and the intuitive physical boundary of whether the DH system needs to be considered is given. For particle-dispersed fuel and burnable





poison systems in FCM fuel loaded in pressurized water reactor, if the theoretically modified optical length is greater than 10^{-4} , the reactivity calculation deviation of VHM will be greater than

100 pcm, and a DH calculation program needs to be used to consider the DH of the dispersed particles and the matrix in the system.

DATA AVAILABILITY STATEMENT

The raw data supporting the conclusion of this article will be made available by the authors without undue reservation.

AUTHOR CONTRIBUTIONS

LL: conceptualization, methodology, and software. CX: conceptualization. YD: conceptualization. WL: conceptualization. LM: visualization and investigation. CL: visualization and

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investigation. LX: visualization and investigation. ZH: visualization and investigation. LS: visualization and investigation. TX: funding acquisition and supervision. ZN: funding acquisition and supervision.

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