



# Advanced Analysis of the Water/Fat Distribution in Skeletal Muscle Tissue Using Magnetic Resonance Imaging in Patients With Neuromuscular Disease

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Nasel C, Klickovic U, Cetin H, Struhal W and Moser E (2020) Advanced Analysis of the Water/Fat Distribution in Skeletal Muscle Tissue Using Magnetic Resonance Imaging in Patients With Neuromuscular Disease. Front. Phys. 8:195. doi: 10.3389/fphy.2020.00195 **Purpose:** Neuromuscular diseases (NMDs) frequently cause severe disabilities. Magnetic resonance imaging (MRI)–based calculation of the so-called fat fraction (FF) in affected muscles was recently described as a reliable biomarker for monitoring progression of NMDs. This is of high interest as newly available modern gene therapies, currently subject to intensive investigations, may provide at least palliation of these severely disabling diseases. In this retrospective study feasibility of advanced image analysis, potentially extending the application of FF in lower limbs in patients suffering various NMDs was investigated.

**Methods:** Patients receiving MRI due to manifestation of proven NMDs (amyotrophic lateral sclerosis [n = 6], spinobulbar muscular atrophy [n = 4], limb girdle muscular dystrophy [n = 5], metabolic myopathy [n = 2]) in lower limbs were compared to patients without NMD [n = 9]. FF and new parameters derived from an advanced image analysis with generation of standardized MRI feature–based matrices were correlated with clinical grades of strength obtained using the MRC scale (Medical Research Council for Muscle Strength). While FF displays the fat partition in muscles only, the advanced image analysis considers the full MR-image information. Here, principal (PCA) and independent component analyses (ICA) were employed to derive parameters describing the full data obtained in more detail.

**Results:** PCA- and ICA-based full-image parameters remained strongly correlated with FF (Spearman coefficient 0.96–0.59), but generally showed stronger correlations with the MRC score in lower limbs (Spearman coefficient; FF = -0.71; PCA & ICA parameters = -0.76-0.78). So far, age was no significant confounder in full-image assessment.

**Conclusion:** The proposed advanced image analysis in NMDs is technically feasible and seems to effectively extend the information of FF.

Keywords: neuromuscular disease imaging, skeletal muscle fibers, spinal and bulbar muscle atrophy, muscular dystrophies, amyotrophic lateral sclerosis, water-fat distribution, magnetic resonance imaging

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# INTRODUCTION

Neuromuscular diseases (NMDs), although low in prevalence (1–3/100,000 persons), are known to show either slow or sometimes fast progression of symptoms leading to severe disabilities, currently without the opportunity of an effective treatment. Disease-modifying therapies are subject to intensive investigations in order to provide at least palliation of the often heavily disabling symptoms of NMDs [1]. In parallel, this requires the development of objective and sensitive methods enhancing the diagnostic algorithm and reliably measuring alterations in affected muscle tissue over time to prove effectiveness and validity of therapeutic interventions.

Magnetic resonance imaging (MRI)-based high-resolution myometry with quantification of the fat fraction (FF) was validated as a sensitive biomarker for both myopathies and neuropathies showing strong correlations with clinical and functional scores [2, 3]. In this context, certain MRI techniques, as described by Dixon [4], enable the direct determination of signal contributions from either structurally bound or highly mobile protons. This allows the differentiation of muscular water and fat content, since signal from bound protons mainly represents fat and signal from highly mobile protons is primarily attributed to cellular and interstitial water components. In this way, separate water and fat images can be generated, where FF simply calculates the proportion of fat signal from the signal totally gained from both, i.e., water and fat, proton pools [5].

FF proved useful especially in slowly progressing NMDs leading to fatty infiltration of muscular tissue, but further alterations in the muscle tissue texture attributed to edema, a common pathological feature of neuropathies, may occur as well [6]. So far, patterns of regional muscular affections in various NMDs were analyzed. Typically, the specific appearance of muscle tissue in regions of interest (ROIs) drawn in representative MRI sections was rated by FF and compared with clinical findings [5, 7, 8]. This way, FF was established as standard parameter for MRI-based myometry and became a promising tool to play an important role in the assessment of disease state and progression [7, 9].

However, as FF displays the proportion of fat signal only, we hypothesized that this does not fully account for all potentially meaningful information about relevant shifts in the global muscular water/fat distribution caused by NMDs. Therefore, we propose a novel, extended quantitative voxel-based assessment method for muscular tissue using principal component analysis (PCA) and independent component analysis (ICA) to analyze and describe the full, directly measured, muscular water/fat signal distribution in MRI. So far, PCA and ICA have already been used to extract certain features in (functional) MRI data. In contrast to PCA, ICA can be used to find a linear representation also of non-Gaussian data so that the components are statistically independent, or as independent as possible. Such a representation seems to be able to capture essential features of the data in various applications, including feature extraction and signal separation

**Abbreviations:** ICA, independent component analysis; FF, fat fraction; MRC, Medical Research Council; NMD, neuromuscular disease; PCA, principal component analysis; ROI, regions of interest; WFD, water/fat distribution. [10]. Although ICA is able to extract an unknown number of components, depending on the quality and amount of data, the exact or optimum number of components remains an issue [11, 12]. In our application, the number of components is known and low, so we can expect robust results. This approach could provide a deeper insight into muscular tissue alterations in NMDs, which in turn could be used for a more detailed analysis of disease progression and response of NMDs to therapeutic efforts.

# **METHODS**

### **Patients**

In total, 22 consecutive patients receiving 26 MRI examinations due to suspected degenerative neuromuscular disease with primary manifestation at the lower limbs were included in this retrospective study. Five groups with two subgroups were differentiated, where in the reference group patients initially suspected for NMD, but during clinical workup identified as articular induced pain syndromes without degenerative muscle affection, were collected as controls (CO, control group; n = 9; male:female = 7:2; age: 55.3  $\pm$  16.8 years). Next to this, two subgroups differentiating subjects from the cumulative control group by age were created. One subgroup included subjects younger than 50 years at the time of their examinations only (control subgroup: CO < 50; n = 4; male:female= 3:1; age: 33.2  $\pm$ 3.4 years), while the other subgroup included only subjects older than 50 years (control subgroup: CO > 50, n = 5; male:female = 4:1; age:  $60.4 \pm 4.0$  years).

Patients with proven amyotrophic lateral sclerosis (ALS) according to the revised El Escorial criteria (ALS group: n = 5 [including 2 follow-up examinations]; male:female = 1:2; age:  $61.6 \pm 0.01$  years) were collected into another group [13]. Additionally, patients with genetically confirmed spinal and bulbar muscular atrophy (SBMA group: n = 4 [including 1 follow-up examination]; male:female = 3:0; age:  $33.9 \pm 5.55$  years), patients with genetically proven limb girdle muscular dystrophy (LGMD group: n = 5 [including 1 follow-up examination]; male:female = 3:1; age:  $54.1 \pm 14.43$  years), and patients suffering from metabolic myopathy (MMP group: n = 2 male patients; age: 57 and 58 years) were gathered in separate groups.

The clinical grade of muscle strength in the lower limbs at the time of MRI was assessed according to the Medical Research Council (MRC) scale for muscle strength in all patients employing the commonly used six grades (i.e., 5–0) scoring system, where grade 5 is assigned to full strength and grade 0 is given in case of complete paralysis [14, 15].

The study was approved by the local institutional review board (NÖ Ethikkommission, trial: GS1-EK-4/597-2019) and conducted according to WMA guidelines in force at the time of patient data acquisition [16].

### Magnetic Resonance Imaging

MRI simultaneously depicting both legs was performed on a clinical 1.5-T whole-body scanner (Magnetom Avanto, Siemens, Erlangen, Germany) using the system's standard peripheral angiography coil set with full coverage of both legs (Tim matrix coil system of about 1,000 mm length). The scan

protocol included T<sub>1</sub>-weighted (T<sub>1</sub>w), three-dimensional (3D) gradient-echo (GE) imaging implemented as a two-point Dixon volumetric interpolated GE sequence (3D-Dixon-VIBE-sequence). The 3D-Dixon sequence offers fast, high-resolution imaging of muscles through asymmetric k-space sampling and interpolation (voxel size =  $1.2 \times 1.2 \times 5.0$  mm; slices = 64; FOV = 380 mm; total scan time: 4:05 min) and allows generation of separate water- and fat-only images due to the incorporated dual echo Dixon technique (TE<sub>1</sub> = 2.39 ms; TE<sub>2</sub> = 4.78 ms; TR = 10 ms; NSA = 1).

Geometrically matched to the 3D-Dixon sequence, a short- $\tau$  inversion recovery (STIR) sequence (TE = 89 ms; TI = 150 ms; TR = 6,962 ms; NSA = 2; voxel size = 0.7 × 0.7 × 15.0 mm; slices = 25) and a dual-echo inversion recovery proton echo usage sequence (protoneus) with spectral fat suppression (TE<sub>1</sub> = 7.8 ms; TE<sub>2</sub> = 62 ms; TI = 49 ms; TR = 2,950 ms; NSA = 1; voxel size = 1.2 × 1.2 × 15 mm; slices = 25) were employed [17]. Scan times for STIR and protoneus sequences were 2:56 and 2:28 min, respectively.

### Depiction of the MRI-Based Muscular Water/Fat Distribution

All image data were translated to NIfTI-2 format for further processing [18]. A representative slice at the mid-level of all thighs and calves was selected from the 3D-Dixon sequences, and separate regions of interest indexed by distinct numbers for each depicted muscle  $(ROI_m)$  on each side were drawn by an experienced reader (U.K.) who was blinded to the respective NMD. All examinations were presented to him in random order. The respective slice was chosen in such a manner that as much of the cross-sectional muscle tissue was visible as possible for the assessment. The specific fascia defined the boundaries of each muscle ROI, thereby excluding large nerves, vessels, the skin, and the subcutaneous fat, as well as the bone structures from the evaluations. In this way, in thighs ROIs showing the rectus femoris muscle, the vastus medialis, intermedius and lateral muscles, the semimembranosus, the semitendinosus, the biceps femoris, the adductor magnus, and the sartorius and gracilis muscles were drawn at each side. In calves, the anterior tibial, the long peroneal, the lateral and medial gastrocnemii, the soleus, and the posterior tibial muscles were outlined on each side (Supplementary Figure 1). Subsequently, scripts written for the applied statistical software used the indexed  $ROI_m$  to generate virtual cumulative ROIs for thigh (ROI<sub>T</sub>) and calf muscles  $(ROI_C)$ , which, in turn, were integrated into virtual cumulative master ROIs for assessment of the whole lower limbs (ROILL). Besides visual inspection of the ROI<sub>m</sub>, they served also to correct for potential Dixon inversion artifacts by testing the plausibility of the signal relation between bone marrow and muscle signal encountered in both legs.

Signal intensities from water- and fat-only images were then normalized voxel-wise in all  $ROI_T$ ,  $ROI_C$ , and  $ROI_{LL}$  to their signal specific maximum:

$$w_n = \frac{w_s}{w_{max}}$$
 and  $f_n = \frac{f_s}{f_{max}}$  (1)

where  $w_n$  and  $f_n$  represent the normalized water and fat signal intensities,  $w_s$  and  $f_s$  the original signal, and  $w_{max}$  and  $f_{max}$ the respective ROI-specific maximum of water or fat signal. In order to generate comparable images of ROI-specific water/fat distributions (*WFD*<sub>ROI</sub>), all values of  $w_n$  and  $f_n$  were resampled within discrete intervals of i = 0.01 and adjusted to the interval ]0, 1] by:

$$r_{(x_n)} := \begin{cases} x_n \mapsto i & \text{if } x_n \le 0\\ \lceil x_n/i \rceil \cdot i & \text{if } x_n > 0 \end{cases}$$
(2)

where  $x_n$  denotes the normalized water or fat signal values  $w_n$  or  $f_n$  and  $r_{(x_n)}$  conforms to the rank of  $x_n$  according to the used resampling interval *i*. Note that replacing equal or less than zero by *i* is a convenient way to correct for inconsistencies of the previous Dixon water- and fat-only image calculations and that these values were eliminated later by thresholding the noise in the various ROIs.

Equation 2 was used to assign a distinct pair of ranks  $(r_{(w_n)}, r_{(f_n)})$  to each voxel of the given ROI. Then, the absolute frequency of each  $(r_{(w_n)}, r_{(f_n)})$  combination was determined leading to  $WFD_{ROI}$ . After normalization of  $WFD_{ROI}$  to its maximum, a  $k \times l$  matrix  $M_{w/f}$  was built from the normalized frequencies  $p_{(r_{(w_n)}, r_{(f_n)})}$  using their ranks  $(r_{(w_n)}, r_{(f_n)})$  as subscripts:

$$M_{w/f} = \left(p_{r_{(wn)_l}, r_{(fn)_j}}\right) \in \mathbb{R}^{k \times l}$$
  
with  $r_{(wn)_i} \in (R_{wn})_{k=1/i, \dots, 1} = \{1, \dots, i \cdot k\}$   
 $r_{(fn)_j} \in (R_{fn})_{l=1, \dots, 1/j} = \{j \cdot l, \dots, 1\}$  (3)

In Equation (3),  $M_{w/f}$  denotes the squared ROI-specific standardized *WFD* matrix. The number of rows *k* and columns *l*, where k = l, depends on the interval steps *i* defined in Equation 2. Symbols  $(R_{w_n})_{k=1/i,...,1}$  and  $(R_{f_n})_{l=1,...,1/j}$  denote the ordered sequences of ranks  $r_{(w_n)}$  and  $r_{(f_n)}$ , which were used as subscripts of the elements of  $M_{w/f}$ . All other symbols have the same meaning as in Equations 1 and 2. A full summary of the  $M_{w/f}$  workup is given in **Figure 1**.

For further assessment of  $M_{w/f}$ , the subscript or rank order, respectively, was set descending for water signal and ascending for fat signal. This is owed to the fact that in the following standardized *WFD* matrices  $M_{w/f}$  were interpreted like images depicting the specific water/fat distribution of the various ROIs. These images may be visualized directly to depict a specific *WFD* in a certain NMD or can be stored in a database for further statistical image analysis.

In order to set any results derived from  $M_{w/f}$  images in relation to established parameters, also the FF, as proposed in the literature [19], was calculated for all  $ROI_T$ ,  $ROI_C$ , and  $ROI_{LL}$ :

$$FF = \frac{f_s}{f_s + w_s} \tag{4}$$

where all symbols have the same meaning as in Equations (1-3).



# Analysis of the Muscular Water/Fat Distribution

First, PCA was performed on all matrices  $M_{w/f}$  of ROIs: ROI<sub>T</sub>, ROI<sub>C</sub>, and ROI<sub>LL</sub> in the various groups. Matrices  $M_{w/f}$  were noise-thresholded, and using the water- and fat-signal ranks,  $r_{(w_n)}$  and  $r_{(f_n)}$ , as dimensions, the quantity  $P_{(r_{w_n}, r_{w_n})} = \left\{ p_{(r_{(w_n)}, r_{(f_n)})} \in M_{w/f} \middle| p_{(r_{(w_n)}, r_{(f_n)})} \ge 0.1 \right\}$  was generated. From PCA performed on  $P_{(r_{w_n}, r_{w_n})}$ , the rotation angle  $\varphi_{(w/f)}$  (unit:

radiant) of the normalized first principal component eigenvector  $\vec{e}_1$  relative to the unit vector  $\vec{u}$ :

$$\varphi_{(w/f)} = acos(\vec{u} \cdot \vec{e}_1) \text{ with } : \vec{u} = \begin{pmatrix} 0\\1 \end{pmatrix}$$
 (5)

and the related scattering defined by the coherence function  $c\left(\varphi_{(w/f)}, \sigma_n\right)$ :

$$c\left(\varphi_{\left(w/f\right)},\sigma_{n}\right) :=\varphi_{\left(w/f\right)}\cdot\sigma_{1}\cdot\sigma_{2}\cdot c_{k\times l} \text{ with }:c_{k\times l}=k\cdot l \quad (6)$$

were derived. In Equation (6),  $\sigma_n$  denotes the components' standard deviations  $\sigma_1$  and  $\sigma_2$ , with n = 2 according to the number of dimensions of the PCA. All other symbols have the same meaning as in Equation (3). The constant  $c_{k\times l}$  is the product of the matrix dimensions of  $M_{w/f}$  (here:  $c_{k\times l} = 100^2$ ). Note that only measurements with the same values for  $c_{k\times l}$  are directly comparable.

Assuming distinct shapes of *WFD* related either to regular or to non-regular (NMD) muscle tissue as depicted in  $M_{w/f}$ , PCA and derived angles  $\varphi_{(w/f)}$  and scattering  $c\left(\varphi_{(w/f)}, \sigma_n\right)$  were used to identify these two conditions constituting the shape of  $M_{w/f}$  in the various groups and regions (cumulative group *WFDs* are displayed in **Figures 2, 3**, and **Supplementary Figures 2–4**).

As PCA suggested distinctly different WFD patterns for (1) regular and (2) non-regular muscle tissue in matrices  $M_{w/f}$ , ICA with separation of two components was performed to test the automatic separation of these. Similar to general image pattern recognition [20], we first transformed all matrices  $M_{w/f}$ of dimension:  $k \times l$  to one-dimensional vectors  $\vec{v}_{(w_n/f_n)}$  of length:  $k \cdot l$ . Vectors  $\vec{v}_{(w_n/f_n)}$  were then used to generate separate  $s \times \vec{v}_{(w_n/f_n)}$  $(k \cdot l)$  matrices  $S_{w/f}$  for thighs, calves, and whole lower limbs, where the number of rows *s* conforms to the number of subjects (=observations) involved. To warrant a reproducible strength of pattern separation, correlation (Spearman's Rho,  $\rho$  ) of the two obtained component-vectors  $i_1$  and  $i_2$  derived from ICA was tested and ICA was performed repetitively until condition  $\rho < 0.3$  was true. Component-vectors  $i_1$  and  $i_2$  were sorted such, that  $\vec{i}_1$  always applied to regular (1) and  $\vec{i}_2$  to non-regular (2) muscle tissue. Sorting was achieved by testing the location of the median crossing point  $(\tilde{m}_{(w_n)}, \tilde{m}_{(f_n)})$  after re-transformation of  $\vec{i}_1$  and  $\vec{i}_2$  to their corresponding matrix  $M_{w/f}$  (Figure 4; Supplementary Figure 5).

After this, vectors  $\vec{v}_{(w_n/f_n)}$  of each case and region (thighs, calves, lower limbs) were analyzed for their correlation with  $\vec{i}_1$  and  $\vec{i}_2$  using Spearman rank correlation tests (Spearman's Rho:  $\rho$ ) with calculation of  $\rho_{\vec{i}_1}$  and  $\rho_{\vec{i}_2}$ . To gain the same effect direction for  $\rho_{\vec{i}_1}$  and  $\rho_{\vec{i}_2}$ , correlations were always given as  $\rho_1 = 1 - \rho_{\vec{i}_1}$  (complement of  $\rho_{\vec{i}_1}$ ) and  $\rho_2 = \rho_{\vec{i}_2}$ . Muscular MRI examinations using ICA were described by  $\rho_1$  and  $\rho_2$ , or, more comprehensively, by the scalar neuromuscular index  $NMi := \rho_1 + \rho_2$ .

# Statistical Analysis of the Muscular Water/Fat Distribution

Since, clinically, no noticeable differences between left and right legs were assessable, and with respect to the small number of cases, only one MRC score was given for both lower limbs. Accordingly, image parameters also represent cumulative evaluations of both legs. Additionally, we assessed age as a possible confounder of FF and the newly introduced full image– related parameters using robust linear regression analysis (LRA) and calculation of group-differences with conservative correction for multiple comparisons.

Conformity of *WFDs* in the various  $ROIs_m$  with the normal distribution was found in <5% of all cases (Shapiro–Wilk test, testing  $ROIs_m$ : *WFD* conform with normal distribution: water signal = 4.62\%, fat signal= 3.85\%; p < 0.05). Thus, median-based tests were used for inferential statistics and the median, the median absolute deviation (MAD), and range [min-max] for descriptive statistics. Single subject analysis and group testing were based on rank correlation tests with calculation of Spearman's Rho.

Differences between groups were evaluated using Kruskal-Wallis tests (K-W test) with Dunnett's modified Tukey-Kramer pairwise multiple comparison tests (DTK) for *post-hoc* analysis [21]. Conservative correction for multiple comparisons (Bonferroni) was performed. A p < 0.05 was considered significant. Linear regression analysis was performed using least trimmed squares robust (high breakdown point) regression. All computations and statistical evaluations were performed using scripts written for *cran-R* involving packages *AnalyzeFMRI*, *robustbase*, fastICA, and *DTK* [21–25].

### RESULTS

Testing the relation between disability (MRC score) in lower limbs (ROILL) and FF revealed a strong correlation, independently of the underlying disease (-0.71 [Spearman's Rho]). PCA-based angle  $\varphi_{(w/f)}$  and scattering  $c(\varphi_{(w/f)}, \sigma_n)$ showed even stronger correlations with the MRC score in  $ROI_{SLL}$  (both: -0.76 [Spearman's Rho]). The ICA-derived coefficients  $\rho_1$  and  $\rho_2$  and the index *NMi* exhibited the strongest correlations with the MRC score in the lower limbs ( $\rho_1$ : -0.78,  $\rho_2$ : -0.76, NMi: -0.78 [Spearman's Rho]). In thighs (ROI<sub>T</sub>), correlations of PCA- and ICA-derived parameters with MRC scores were generally strong, with rather heterogeneous results in calves  $(ROI_C)$ . Throughout all regions, i.e.,  $ROI_T$ ,  $ROI_C$ , and ROILL, nearly all parameters were significantly different between clinically healthy patients (MRC score: 5) and those with MRC scores 4 or 3 (K-W test  $[ROI_{LL}]$ , post-hoc: DTK, groups = 3 [corr.], FF: p = 0.0005;  $\varphi_{(w/f)}$ : p = 0.0001,  $c(\varphi_{(w/f)}, \sigma_n)$ : p =0.0001,  $\rho_1$ : p = 0.00009,  $\rho_2$ : p = 0.0002, and *NMi*: p = 0.0001). Since only one patient presented with MRC score 2, this patient was not included in the score-group comparison (detailed data are provided in Table 1).

FF, PCA-derived angle  $\varphi_{(w/f)}$ , and scattering  $c\left(\varphi_{(w/f)}, \sigma_n\right)$ in lower limbs (*ROI*<sub>*LL*</sub>) were correlated strongly with  $\rho$  =



**FIGURE 2** Cumulative standardized *WFD* matrices  $M_{w/f}$  of lower limbs from subjects *without* NMD. The left image displays subjects younger than 50 years, while on the right side subjects older than 50 years are shown. The area including 95% of all cases without NMD is marked in green color with green lines denoting the median of water and fat signals of all non-NMD cases. Generally, the *WFD*s in these subjects represent regular muscle tissue, which seems rather homogeneous and shows a greater variance of the water signal with, in its effect perpendicular to this, only minimal fat signal variances. Accordingly, eigenvectors in  $M_{w/f}$  were nearly parallel to the main signal axes (blue and red arrows: eigenvectors multiplied by corresponding standard deviations arbitrarily drawn in the middle of  $M_{w/f}$  showing the variance size and direction of the principal components). Also, the PCA-derived angle  $\varphi_{(w/f)}$  and scattering  $c(\varphi_{(w/f)}, \sigma_n)$  are given. The slightly higher scattering in older subjects was not significantly different from younger ones.

0.888 and 0.886 (Spearman's Rho), respectively. Correlations between FF,  $\varphi_{(w/f)}$ , and  $c\left(\varphi_{(w/f)}, \sigma_n\right)$  in thighs ( $ROI_T$ ) were even stronger with  $\rho = 0.962$  and  $\rho = 0.938$  (Spearman's Rho), respectively. In calves ( $ROI_C$ ), the correlations between FF,  $\varphi_{(w/f)}$ , and  $c\left(\varphi_{(w/f)}, \sigma_n\right)$  were still strong with  $\rho = 0.745$ and 0.742 (Spearman's Rho), respectively. Also, the ICA-based parameters  $\rho_1$ ,  $\rho_2$ , and *NMi* were strongly correlated with FF in lower limbs with  $\rho = 0.819$ , 0.826, and 0.828 (Spearman's Rho), respectively. The same was true in thighs, where strong correlations of FF with  $\rho_1$ ,  $\rho_2$ , and *NMi* with  $\rho = 0.849$ , 0.875, and 0.878 (Spearman's Rho), respectively, were found. Correlations between FF and  $\rho_1$ ,  $\rho_2$ , and *NMi* in calves were rather moderate with  $\rho = 0.621$ , 0.611, and 0.588 (Spearman's Rho), respectively.

The already visually different *WFD* patterns of regular and non-regular muscle tissue were investigated further, and the relation between the ICA-derived coefficients  $\rho_1$  and  $\rho_2$ was assessed using a robust linear regression model after transformation of  $\rho_2$  to the logarithmic scale. Using the model  $\rho_1 := a \cdot \log(\rho_2) + b$ , regression analysis revealed that the loss of regular muscular tissue was strongly correlated with an exponential increase in non-regular muscular tissue (LRA; loglinear model; R<sup>2</sup>[adjusted]: *ROI*<sub>T</sub>: 0.981, *ROI*<sub>C</sub>: 0.964, *ROI*<sub>LL</sub>: 0.966;  $p < 2.2 \times 10^{-16}$ ) (**Figure 5; Supplementary Figure 6**). Additionally, depending on the MRC score, PCA-derived angles  $\varphi_{(w/f)}$  and scattering  $c(\varphi_{(w/f)}, \sigma_n)$  showed distinctly different distributions of NMDs with primary neuronal degeneration and those primary leading to fatty degeneration of the muscle tissue (Figure 6).

Concerning disability, the MRC score in LGMD patients was significantly lower compared to the control groups (K-W test: MRC, *post-hoc*: DTK [corr.], p = 0.002), while for the rest of the NMD groups no significant differences were found. In lower limbs, FF was also significantly different between the LGMD and control groups only (K-W test: FF, *post-hoc*: DTK [corr.], p = 0.004). The same was found for PCA-derived angle  $\varphi_{(w/f)}$  and scattering  $c\left(\varphi_{(w/f)}, \sigma_n\right)$  (K-W test:  $(\varphi_{(w/f)}, c\left(\varphi_{(w/f)}, \sigma_n\right))$ ), *post-hoc*: DTK [corr.], p = (0.0003, 0.0003). The ICA-based coefficients  $\rho_1$  and  $\rho_2$  and index *NMi* showed a comparable behavior (K-W test:  $(\rho_1, \rho_2, NMi)$ , *post-hoc*: DTK [corr.], p = (0.0006, 0.0007, 0.0007).

Generally, age in the ALS (median  $\pm$  MAD: 61.6  $\pm$  0.5, range: [45.5–62.2], unit: years), and MMP groups (55.1  $\pm$  3.0, [52.1–58.1]) was significantly higher than in the young control group CO <50 (33.2  $\pm$  3.4, [23.6–38.6]), while patients in the SBMA group (37.9  $\pm$  2.1, [33.9–52.5]) were significantly younger than subjects in the older control group CO >50 (60.4  $\pm$  4.0, [55.3–72.4]) (K-W test: age, *post-hoc*: DTK [corr.: Bonferroni], p = 0.028). Otherwise, there were no significant differences found between the various groups, especially when testing the cumulative and the young and older control groups separately against the NMD groups. Additionally, linear regression analysis testing the influence of age on the various muscle parameters in the cumulative control group CO revealed that age was no



**FIGURE 3** Cumulative *WFD* matrices  $M_{w/f}$  of lower limbs of subjects *with* proven NMD overlaid with the corresponding 95th quantile area of the cumulative regular reference group (green area). Lines show the median of normalized water and fat signals of NMD (blue) and reference patients (green). Blue and red arrows drawn in the middle of the respective  $M_{w/f}$  show the standard deviation and direction of the principal components in each group-*WFD*. Compared to the *WFD* in regular muscle tissue of control patients, group-*WFDs* of patients suffering from ALS (left upper image), MMP (right upper image), SBMA (left lower image), or LGMD (right lower image) were clearly more inhomogeneous and rotated into the direction of the fat signal, which is also supported by angles  $\varphi_{(w/f)}$  and scattering  $(\varphi_{(w/f)}, \sigma_n)$ . Note that the latter two parameters are clearly higher in NMD patients than in controls.

significant confounder, neither of FF (LRA: FF × age,  $R_{adj.}^2 = 0.359$  [thighs], -0.143 [calves], -0.166 [lower limbs], n.s.) nor of the PCA-derived parameters  $\varphi_{(w/f)}$  (LRA:  $\varphi_{(w/f)} \times age, R_{adj.}^2 = 0.345$  [thighs], 0.391 [calves], 0.084 [lower limbs], n.s.), and  $c\left(\varphi_{(w/f)}, \sigma_n\right)$  (LRA:  $c\left(\varphi_{(w/f)}, \sigma_n\right) \times age, R_{adj.}^2 = 0.159$  [thighs], -0.119 [calves], 0.307 [lower limbs], n.s.), respectively. The same

was true for the ICA-based correlation coefficients  $\rho_1$  (LRA:  $\rho_1 \times \text{age}$ ,  $R_{adj.}^2 = -0.015$  [thighs], 0.135 [calves], 0.108 [lower limbs], n.s.) and  $\rho_2$  (LRA:  $\rho_2 \times \text{age}$ ,  $R_{adj.}^2 = -0.139$  [calves], -0.026 [lower limbs], n.s.), as well as the NMi (LRA: NMi \times \text{age},  $R_{adj.}^2 = 0.02$  [thighs], -0.112 [calves], 0.06 [lower limbs], n.s.), where the influence of age was not significant. The only



components. Cumulative ROIs of both lower limbs of all cases included in this study were assessed for distinct *WED* patterns: regular  $\vec{l}_1$  and non-regular  $\vec{l}_2$  muscle tissue. Note that  $M_{w/f}$  of vector  $\vec{i}_1$  virtually resembles the same *WED* as depicted in the control group (compare **Figure 2**), while  $M_{w/f}$  of vector  $\vec{i}_2$  strongly correlates with *WFDs* found in patients with proven NMD.

significant relation between age and any of the tested parameters, was found for  $\rho_2$  in thighs (LRA:  $\rho_2 \times \text{age}$ ,  $R_{adj.}^2 = 0.772$  [thighs], p = 0.013). A full summary of the results for all ROIs, i.e.,  $ROI_T$ ,  $ROI_C$ , and  $ROI_{LL}$  concerning angle  $\varphi_{(w/f)}$ , scattering  $c\left(\varphi_{(w/f)}, \sigma_n\right)$ , coefficients  $\rho_1$  and  $\rho_2$ , and index *NMi* is given in **Tables 2–4**.

# DISCUSSION

PCA and ICA were used to extend the widely accepted and validated MRI-based scalar quantity FF. Though FF is a robust biomarker, reliably assessing progression and stage of NMDs [2, 3, 26], we aimed to demonstrate the feasibility of statistical methods known from image analysis and pattern recognition to provide an even deeper insight into pathological alterations depicted by MRI in muscles. In contrast to FF, the quantitative methods proposed in this study rely on the assessment of the entire water- and fat-related signal acquired by muscular MRI in the lower limbs considering a wider range of MRI-accessible information. The proposed PCA- and ICA-derived parameters remained related to FF, but exhibited stronger correlations with muscle strength in lower limbs indicating a potentially higher clinical relevance of these methods in the assessment of the course and progression of NMDs.

FF considers the relative amount of the fat-attributed muscular tissue partition in MRI only, while the full range of the water/fat signal is used to correct for possible signal variations of the measurement. Though this warrants robust results [27],

on the one hand, this could mask meaningful information about subtle shifts in the water/fat relation in muscles, on the other hand. Thus, the complete distribution of all water/fat signal pairs, the so-called WFD, encountered in MRI of lower limb muscles was evaluated in this study. In case of a high number of voxels with strong signal from stationary protons, much of the WFD is explained by muscular fat content, which rotates the preferential axes of the WFD in  $M_{w/f}$  into the direction of the fat signal, and vice versa (Figures 2, 3). Consequently, the specific information of the FF-correlated fat content is conserved in PCA and ICA, while all the water-attributable signal information is added to the analysis. This assertion is clearly supported by the strong correlation between PCA- or ICA-derived parameters and the corresponding FF. Nevertheless, the correlation between the MRC score and PCA- and ICA-derived parameters was in large part stronger than that found for FF (Table 4), which indicates that FF may not reveal all the information about subtle but relevant alterations in the muscular texture depicted in MRI. Thus, the advanced analysis of muscular MRI stressed in this study seems to further extend the accuracy of FF.

As the *WFD* constitutes from the linear combinations of the underlying water/fat signal, PCA was used to calculate eigenvectors and values of the specific distribution. From the eigenvector of the main principal component, the rotation angle  $\varphi_{(w/f)}$  relative to the virtual y-axis of  $M_{w/f}$  was computed to quantify the excursion of the measured signal distribution in the direction of either the water or fat signal. Additionally, scattering described by the coherence function  $c\left(\varphi_{(w/f)}, \sigma_n\right)$  was evaluated in order to estimate the impact of variances of the acquired water

	Groups by MRC score							
Score	5 (n = 15)	4 ( <i>n</i> = 8)	3 (n = 2)	2 (n = 1)				
Thighs								
FF (Rho $= -0.738$ )	6.5 ± 1.2 [5.0–11.1]	$40.1 \pm 25.4^{t^{5}} [7.1-77.6]$	75.7 ± 8.1 <sup>*5</sup> [67.6–83.8]	16.0				
$\varphi_{(W/f)}$ (Rho = -0.789)	$0.04 \pm 0.02$ [0.01–0.18]	$2.21 \pm 1.78^{\pm 5}$ [0.17–4.02]	$4.03\pm0.01^{*5}\ [4.024.03]$	0.31				
$c\left(\varphi_{(W/f)},\sigma_{n}\right)$ (Rho = -0.783)	$0.53 \pm 0.33 \ [0.09 - 5.23]$	$342.3 \pm 333.9^{\pm 5}$ [4.99–1001.7]	$803.3 \pm 180.7^{*5}$ [622.6–983.9]	23.39				
$ \rho_1 (Rho = -0.79) $	$0.27 \pm 0.08 \ [0.18 - 0.49]$	$0.69 \pm 0.16^{\pm 5}$ [0.46–0.9]	$0.87 \pm 0.1^{*5} \ [0.77 - 0.97]$	0.67				
$\rho_2 ({ m Rho}=-0.788)$	0.08 ± 0.02 [0.04–0.16]	$0.53 \pm 0.28^{\pm 5}$ [0.16–0.85]	$0.65 \pm 0.02^{*5}$ [0.63–0.67]	0.18				
<i>NMi</i> (Rho= -0.79)	$0.36 \pm 0.11$ [0.23–0.65]	$1.22 \pm 0.45^{\pm 5}$ [0.63–1.75]	$1.52 \pm 0.13^{*5}$ [1.4–1.65]	0.85				
Calves								
FF (Rho $= -0.696$ )	6.4 ± 1.1 [4.2–10.8]	$26.0 \pm 14.7^{t_5}$ [5.5–62.1]	$65.4 \pm 1.1^{*5}$ [64.3–66.5]	11.2				
$\varphi_{(w/f)}$ (Rho = -0.714)	0.12 ± 0.02 [0.02-0.61]	$2.22 \pm 1.76^{t_5}$ [0.14–4.04]	$4.05\pm0.01^{*5}\ [4.044.06]$	0.43				
$c\left(\varphi_{(W/f)},\sigma_{n}\right)$ (Rho = -0.74)	2.89 ± 1.30 [0.27–36.21]	$371.1 \pm 362.6^{t_5}$ [4.73–929.7]	$1112.8 \pm 193.6^{*5}$ [919.2–1306.4]	25.87				
$\rho_1 (Rho = -0.632)$	0.4 ± 0.07 [0.23–0.54]	$0.63 \pm 0.1^{t_5}$ [0.3–0.82]	$0.79 \pm 0.01^{*5}$ [0.77–0.8]	0.53				
$\rho_2 (\text{Rho} = -0.631)$	0.21 ± 0.05 [0.09–0.4]	$0.44 \pm 0.16^{*5}$ [0.16–0.86]	$0.6 \pm 0.09^{*5}$ [0.51–0.69]	0.39				
<i>NMi</i> (Rho= -0.649)	$0.62 \pm 0.05 \ [0.38-0.94]$	$1.07 \pm 0.27^{*5}$ [0.46–1.68]	$1.39 \pm 0.07^{*5}$ [1.31–1.46]	0.92				
Lower Limbs								
FF (Rho $= -0.709$ )	6.5 ± 0.5 [5.7–10.6]	38.5 ± 15.7 <sup>†</sup> 5 [6.3–65.5]	$70.6 \pm 4.6^{*5}$ [65.9–75.2]	13.6				
$\varphi_{(w/f)}$ (Rho = -0.759)	$0.10 \pm 0.05$ [0.01–0.48]	$3.87 \pm 0.16^{\pm 5}$ [0.17–4.04]	$4.05\pm0.00^{*5}\ [4.044.05]$	0.33				
$c\left(\varphi_{(W/f)},\sigma_{n}\right)$ (Rho = -0.764)	2.27 ± 1.44 [0.13–30.98]	$796.5 \pm 248.7^{\pm 5}$ [6.63–1071.9]	1128.8 ± 138.7 <sup>*5</sup> [990.2–1267.5]	28.12				
$ \rho_1 (Rho = -0.781) $	$0.34 \pm 0.05$ [0.23–0.52]	$0.7 \pm 0.09^{\pm 5}$ [0.46–0.83]	$0.78 \pm 0.01^{*5}$ [0.77–0.79]	0.60				
$ \rho_2 (Rho = -0.756) $	0.19 ± 0.04 [0.1–0.35]	$0.66 \pm 0.14^{\pm 5}$ [0.23–0.84]	$0.73 \pm 0.03^{*5}$ [0.7–0.76]	0.35				
<i>NMi</i> (Rho = $-0.777$ )	0.54 ± 0.1 [0.33–0.87]	$1.36 \pm 0.2^{\ddagger 5}$ [0.69–1.66]	$1.51 \pm 0.04^{*5} \ [1.47 - 1.54]$	0.95				

**TABLE 1** | Summary of FF,  $\varphi_{(w/f)}$ ,  $c(\varphi_{(w/f)}, \sigma_n)$ ,  $\rho_1$ ,  $\rho_2$ , and *NMi* grouped by the corresponding MRC score in lower limbs.

Significant differences were found nearly throughout all parameters between clinically healthy patients (score: 5) and those with scores 4 and 3. Only one patient presented with score 2, who was not included in the comparisons (DTK test [corr.], 3 groups; sig. \*P < 0.05,  $^{\dagger}p < 0.01$ ,  $^{\ddagger}p < 0.001$ ). In brackets beside each parameter (1st column), the correlation coefficient Rho (Spearman) is given, which displays the correlation between the respective parameter and the MRC score. Generally, the PCA-related parameters  $\varphi_{(w/f)}$ , and scattering c ( $\varphi_{(w/f)}$ ,  $\sigma_n$ ) showed stronger correlations with the MRC score than the FF, which, except in the calves, was also true for ICA-derived parameters  $\rho_1$ ,  $\rho_2$ , and NMi. (Values in columns 2–4 are given as Median  $\pm$  MAD and [range]).

and fat signals on the respective WFD. Further investigation of  $\varphi_{(w/f)}$  and  $c(\varphi_{(w/f)}, \sigma_n)$  revealed that all patients with regular muscle strength, independently of their diagnosis, presented with small values for  $\varphi_{(w/f)}$  and  $c(\varphi_{(w/f)}, \sigma_n)$ . This induced a certain WFD pattern of water/fat signal pairs densely packed near the virtual y-axis of  $M_{w/f}$ , where the eigenvector of the major component was nearly parallel to this axis and pointed clearly into the direction of the water signal (Figure 2). In patients with reduced strength grades, the WFD patterns were more heterogeneous. They presented with a more or less widespread distribution of water/fat signal pairs around the virtual diagonal spanned between the extremes of  $M_{w/f}$ . Due to the clearly stronger excursions of their WFD into the direction of the fatrelated signal with much larger variations of the encountered signal components, values found for  $\varphi_{(w/f)}$  and  $c(\varphi_{(w/f)}, \sigma_n)$ were significantly higher than those in patients with regular muscle strength. Compared to FF, differentiation of patients with various MRC scores in thighs and lower limbs was in favor of the PCA-derived parameters, since correlations were stronger and the ability to separate patients from different groups was better defined using angles  $\varphi_{(w/f)}$  and/or scattering  $c(\varphi_{(w/f)}, \sigma_n)$ (Table 4). According to this, PCA parameters were strongly

correlated with the MRC score and were significantly different in patients grouped by this score. This implies an improved discrimination of various stages of disease by the PCA parameters with preservation of the properties of FF, as the correlation with FF was strong. In this way, angles  $\varphi_{(w/f)}$  and an inherent part of the coherence function  $c(\varphi_{(w/f)}, \sigma_n)$ , the product of standard deviations ( $\sigma$  product), theoretically, could serve automatic classification of NMDs in future trials on big data using artificial intelligence based approaches (**Figure 6**).

Generally, two distinct *WFD* patterns, one typical for regular and the other for non-regular muscular tissue, with only a small overlap between the two patterns, were found (**Figures 2, 3**, **Supplementary Figures 2–4**). This encouraged the use of ICA for automatic separation of these distinctly different patterns. A *WFD* can be seen as an image displaying a specific distribution of regular and non-regular muscle components, or, more precisely, it is a combination of at least two "*sub-images*" each depicting either regular or non-regular muscle tissue. These *sub-images* are represented by component vectors, which neither share a collinear statistical effect, as shown by  $\varphi_{(w/f)}$ , nor conform to the normal distribution in statistical testing. Thus, both components or sub-images may be assumed as non-Gaussian linear representations of water/fat signals of different disease



ICA (NMD groups are indicated by different colors; numbers indicate the MRC score). Note that non-regular tissue seems to increase exponentially with loss of regular muscle tissue.

conditions, which can be decomposed by ICA as statistically independent components hidden in the full *WFD* image. This assumption is proven by our results exhibiting a robust decomposition of the postulated two—characteristic—patterns using ICA.

The match of individual WFD image vectors with regular or non-regular muscle tissue component vectors  $i_1$  and  $i_2$  was quantified by computing the rank correlation coefficients  $\rho_1$  and  $\rho_2$  and their sum: NMi. In patients with reduced MRC scores suffering from long-lasting, i.e., already progressed NMDs (e.g., SBMA and LGMD patients), an exponential increase in nonregular muscle tissue was found. Patients with reduced muscle strength in rapidly progressing NMDs (e.g., ALS) and, therefore, shorter disease durations showed by far less reorganization of the muscle texture. However, both conditions were significantly different from patients without strength constraint. Accordingly, the ICA-derived parameters showed much stronger correlations with MRC scores than FF, though FF was still strongly correlated to  $\rho_1$ ,  $\rho_2$ , and *NMi*. These findings emphasize the ability of ICA to robustly decompose regular and non-regular muscle components depicted in  $M_{w/f}$  with preserving the information inherent to FF. However, the MRC scores were explained better by ICA-based parameters than by FF. Since the number of cases in this study was rather small, we did not try to separate other components by ICA, especially from the non-regular sub-image pattern of WFD. Nevertheless, separation of other components appears promising in larger and more homogenous (sub)samples, where ICA could



**FIGURE 6** Behavior of PCA-derived parameters:  $\varphi_{(W/f)}$  (y-axis) and the so-called  $\sigma$  -product (x-axis), an inherent part of scattering defined by the coherence function  $c(\varphi_{(W/f)}, \sigma_n)$ , in the various NMD groups (indicated by different colors; numbers indicate the MRC score). Alterations in the muscular water/fat texture with higher fat partitions shift the measurements to the right and upward. Especially, an increased heterogeneity of the *WFD* indicated by the  $\sigma$  product was related to reduced MRC scores in muscles of lower limbs. As this suggests an excellent differentiation of alterations attributed predominantly to fatty infiltration from those primarily caused by denervation, this could serve automatic classification of NMDs in future trials. Note that younger and older controls share the same behavior suggesting nearly no effect of age on the measurements.

be used to objectively explore conceivable further subtypes of NMD-induced muscle alterations.

It has to be noted that standardized  $M_{w/f}$  matrices may contain—in principle—any combination of different MR signals. Three-point-, proton-density-, or T2-weighted Dixon techniques, which seem to offer more stable results for quantification of the muscular fat content [27], could also help to differentiate the various muscular conditions in NMDs, like fatty degeneration, denervation edema or fibrosis, which could further expand the power of our methods.

Though our preliminary results underline the advantages of sampling the full *WFD*, several limitations have to be considered. The sample size of our NMD cohort is quite small and most of our observations remain yet to be proven in larger NMD cohorts. Our results may, therefore, suffer from heterogeneity, where effects from, e.g., age, training state, or the body mass index, could not be considered entirely. On the other hand, given the very low prevalence of the investigated NMDs, the number of cases presented here appears at least fair to prove the feasibility of the proposed analysis methods. Even in our small sample of NMD patients, assessment using the proposed standardized matrices  $M_{w/f}$  seemed to offer a valuable extension to FF.

	CO n = 9		CO > 50	CO > 50         ALS $n = 5$ $n = 6$	SBMA n = 4	LGMD <i>n</i> = 5	MMP n = 2
Age [years]							
Subjects	55.3 ± 16.8 [23.6–72.4]	33.2 ± 3.4 <sup>*C+</sup> [23.6–38.6]	$60.4 \pm 4.0^{*C-}$ [55.3-72.4]	61.6 ± 0.5 <sup>*C-</sup> [45.5–62.2]	37.9 ± 2.1 <sup>*C+</sup> [33.9–52.5]	56.9 ± 5.5 [37.4–77.3]	55.1 ± 3.0 <sup>*C-</sup> [52.1–58.1]
MRC-scores in	lower limbs [score	5–0]					
Lower limbs	5 [5]	5 [5]	5 [5]	4 ± 1 [2–5]	5±0[3–5]	$4 \pm 0^{t_{Ca}}$ [3–4]	5 ± 1 [4–5]
Fat fraction [%]							
Thighs	6.2 ± 1.0 [5.0–11.1]	5.8 ± 0.6 [5.0–8.8]	6.5 ± 0.4 [5.3–11.1]	10.4 ± 3.3 [7.1–18.0]	9.4 ± 2.3 [5.2–67.6]	68.9 ± 15.0 <sup>†</sup> Ca [51.1–83.8]	19.1 ± 10.0 [9.1–29.1]
Calves	6.4 ± 1.0 [4.2–10.3]	$6.9 \pm 0.8$ [4.2-8.0]	6.4 ± 0.9 [5.3–10.3]	11.0 ± 2.7 [4.8–16.1]	7.6 ± 1.4 [6.1–64.3]	44.2 ± 17.9 <sup>*Ca</sup> [18.9–66.5]	21.8 ± 11.3 [10.4–33.1]
Lower limbs	6.4 ± 0.4 [5.7–9.5]	$6.5 \pm 0.6$ [5.7–7.4]	6.4 ± 0.1 [6.0–9.5]	10.8 ± 3.7 [6.0–17.1]	7.8 ± 0.4 [7.1–65.9]	$48.4 \pm 2.4^{^{\dagger}Ca}$ [46.0–75.2]	$20.4 \pm 10.7$ [9.8–31.1]

Note that disease affection was always symmetrical; thus, no differentiation between left and right sides is given (DTK test [corr.]; sig. \*p < 0.05, †p < 0.01, Ca. Different from all control groups; C-, Different from control group younger than 50 years only; C+, Different from control group older than 50 years only). No significant differences between the various control (sub)groups were found. Age was not significantly different between the various NMD groups and controls; only when controls were split into subjects under and over 50 years a significant difference was found. For the tested parameters, age was no significant confounder. (Values are given as Median  $\pm$  MAD and [range] till not denoted otherwise).

**TABLE 3** | Summary of PCA-derived parameters  $\varphi_{(w/f)}$  and scattering  $s(\varphi_{(w/f)}, \sigma_n)$  per NMD group.

	CO n = 9	CO < 50 n = 4	CO > 50 n = 5	ALS <i>n</i> = 6	SBMA n = 4	$\begin{array}{c} LGMD \\ n = 5 \end{array}$	MMP n = 2
PCA: $\varphi_{(w/f)}$ [rad]	]						
Thighs	0.02 ± 0.01	$0.02 \pm 0.01$	0.04 ± 0.02	$0.20 \pm 0.09$	$0.12 \pm 0.06$	$4.01 \pm 0.01^{+}{Ca}$	0.32 ± 0.23
	[0.01-0.17]	[0.01-0.04]	[0.02-0.17]	[0.09-0.44]	[0.01-4.03]	[3.87-4.02]	[0.09-0.55]
Calves	0.11 ± 0.02 [0.02-0.21]	$0.14 \pm 0.04$ [0.02-0.21]	0.1 ± 0.01 [0.09–0.12]	0.40 ± 0.10 [0.10-0.57]	$0.24 \pm 0.06$ [0.16-4.06]	$\begin{array}{c} 4.01 \pm 0.03^{\ddagger ^{Ca}} \\ [0.5 - 4.04] \end{array}$	2.23 ± 1.63 [0.61–3.86]
Lower limbs	0.07 ± 0.04	0.05 ± 0.03	0.1 ± 0.0	0.32 ± 0.11	0.21 ± 0.05	4.01 ± 0.04 <sup>‡<sup>Ca</sup></sup>	2.15 ± 1.67
	[0.01-0.12]	[0.01-0.12]	[0.03–0.11]	[0.07–0.55]	[0.14-4.04]	[3.90–4.05]	[0.48–3.82]
PCA: $s(\varphi_{(w/f)}, \sigma)$	m) [rad⋅% <sup>2</sup> <sub>max</sub> ]						
Thighs	$0.5 \pm 0.2$	0.4 ± 0.1	0.7 ± 0.4	8.5 ± 5.5	3.9 ± 2.3	900 ± 102 <sup>†</sup> Ca	40.1 ± 37.2
	[0.1–5.2]	[0.1–0.5]	[0.3–5.2]	[1.9–31.2]	[0.1–983.9]	[607.4–1,002]	[2.9–77.3]
Calves	2.3 ± 1.0	$2.6 \pm 1.3$	2.3 ± 1.0	24.7 ± 10.6	6.7 ± 2.2	908 ± 22 <sup>†</sup> Ca	341 ± 305
	[0.3–4.9]	[0.3-4.9]	[1.2–4.0]	[1.7–97.1]	[3.8–1,306]	[12.2–929.7]	[36.2–645.1]
Lower limbs	1.4 ± 0.9	1.1 ± 0.6	$2.3 \pm 1.4$	22.7 ± 10.7	6.3 ± 1.0	990 ± 28 <sup>‡Ca</sup>	382 ± 351
	[0.1–4.3]	[0.1–3.1]	[0.7-4.3]	[1.7-89.2]	[5.2-1,268]	[860.3–1,072]	[31.0-732.7]

Like for FF, significant differences were found only between the various CO (sub)groups and LGMD patients (DTK test [corr.]; sig \*p < 0.05,  $^{\dagger}p < 0.01$ ,  $^{\ddagger}p < 0.001$ ; Ca, Different from all CO (sub)groups; C-, Different from CO (sub)group younger than 50 years only; C+, Different from CO (sub)group older than 50 years only). Note that differences between the control groups were not significant for the PCA-derived parameters indicating that the presented assessment was robust against an influence from age. (Values are given as Median  $\pm$  MAD and [range] till not denoted otherwise).

As the PCA- and ICA-derived parameters remained strongly correlated to FF, the proposed methods should still compare to FF. Despite this, we were able to demonstrate that, for instance, age was no significant confounder in our analysis, though some studies reported a relevant, but mostly weak, influence from age on FF. However, several other studies did not confirm this finding [3, 28] and, accordingly, no significant influence from age on the assessed parameters was found in this study (compare **Supplementary Figure 7**). For the moment our approach, which primarily aims to demonstrate the feasibility of PCA- and ICA-based assessment of the proposed standardized *WFD* matrices, appears rather robust to influences of patients' age.

As our sample consisted of several different NMDs, another limitation of this study was the need to abstain from commonly recognized clinical and functional scales describing special features of a particular NMD in more detail than the proposed assessment based on the MRC score. The MRC score helped to preserve comparability of clinical assessment and to reduce effects from the heterogeneity of the various NMDs in our sample. Additionally, MRC grading is a commonly accepted clinical tool validated to reliably measure strength in the lower limbs. However, the generally weaker relation between PCA, ICA, and FF and their weaker correlation to the MRC score in calves in our sample could also result from deficiencies of this score system. Actually, this system tests the ability to move the lower limbs against gravity, which does not require too much function of calf muscles. The overall smaller muscle volumes in calves, potentially inducing greater variances in the

	CO	CO < 50	CO > 50	ALS	SBMA	LGMD	MMP
	n = 9	n = 4	n = 5	n = 6	n = 4	n = 5	n = 2
ICA: p <sub>1</sub> (regular	-complement)						
Thighs	$0.25 \pm 0.06$	$0.24 \pm 0.03$	0.27 ± 0.08	0.47 ± 0.05	0.44 ± 0.12	0.84 ± 0.13 <sup>‡<sup>Ca</sup></sup>	0.55 ± 0.13
	[0.18-0.42]	[0.20-0.36]	[0.18-0.42]	[0.32-0.67]	[0.25–0.77]	[0.70–0.97]	[0.42–0.68]
Calves	0.37 ± 0.08	0.37 ± 0.05	0.41 ± 0.06	0.53 ± 0.04	$0.40 \pm 0.01$	0.65 ± 0.12 <sup>*Ca</sup>	0.63 ± 0.09
	[0.23-0.47]	[0.23-0.47]	[0.29-0.47]	[0.40-0.61]	[0.38–0.80]	[0.30–0.82]	[0.54-0.72]
Lower limbs	0.32 ± 0.06	0.31 ± 0.06	$0.32 \pm 0.06$	$0.53 \pm 0.07$	0.44 ± 0.06	0.77 ± 0.05 <sup>‡Ca</sup>	0.61 ± 0.09
	[0.23-0.46]	[0.23–0.39]	[0.26-0.46]	[0.34-0.60]	[0.35–0.77]	[0.70–0.83]	[0.52-0.71]
ICA: p2 (non-reg	gular)						
Thighs	0.07 ± 0.01	0.06 ± 0.01	0.08 ± 0.01	0.17 ± 0.01	0.14 ± 0.06	0.70 ± 0.03 <sup>‡<sup>Ca</sup></sup>	0.26 ± 0.11
	[0.04-0.15]	[0.06–0.10]	[0.04–0.15]	[0.10–0.19]	[0.04–0.63]	[0.67–0.85]	[0.15–0.36]
Calves	$0.20 \pm 0.06$	0.21 ± 0.05	$0.20 \pm 0.01$	$0.34 \pm 0.04$	0.25 ± 0.01	0.55 ± 0.14 <sup>*Ca</sup>	0.54 ± 0.13
	[0.09-0.26]	[0.09–0.26]	[0.14-0.26]	[0.16-0.39]	[0.23-0.51]	[0.16–0.86]	[0.40-0.67]
Lower limbs	0.15 ± 0.04	0.16 ± 0.04	0.15 ± 0.02	0.31 ± 0.04	0.23 ± 0.03	0.75 ± 0.05 <sup>‡Ca</sup>	0.49 ± 0.14
	[0.10-0.22]	[0.10-0.20]	[0.12-0.22]	[0.15-0.35]	[0.18-0.70]	[0.69–0.84]	[0.35-0.62]
ICA: NMi							
Thighs	0.32 ± 0.07	0.30 ± 0.04	0.36 ± 0.11	0.65 ± 0.08	0.57 ± 0.18	1.60 ± 0.16 <sup>‡Ca</sup>	0.80 ± 0.24
	[0.23-0.58]	[0.25-0.47]	[0.23-0.58]	[0.43-0.85]	[0.28-1.40]	[1.40–1.75]	[0.57-1.04]
Calves	0.61 ± 0.06	0.59 ± 0.04	0.61 ± 0.06	0.86 ± 0.09	$0.65 \pm 0.02$	1.20 ± 0.26 <sup>*Ca</sup>	1.17 ± 0.22
	[0.38–0.67]	[0.38–0.63]	[0.47-0.67]	[0.56-0.98]	[0.61-1.31]	[0.46–1.68]	[0.94–1.39]
Lower limbs	0.44 ± 0.10	0.47 ± 0.09	0.44 ± 0.05	0.84 ± 0.11	0.67 ± 0.10	1.46 ± 0.07 <sup>‡<sup>Ca</sup></sup>	1.10 ± 0.23
	[0.33-0.68]	[0.33-0.59]	[0.40-0.68]	[0.50-0.95]	[0.53-1.47]	[1.39–1.66]	[0.87-1.33]

In accordance with all other measurements, only between patients in the CO (sub)groups and the LGMD group a significant difference was found (DTK test [corr.]; sig \*p < 0.05,  $^{\dagger}p < 0.01$ ,  $^{\dagger}p < 0.001$ ; Ca, Different from all CO (sub)groups; C-, Different from CO (sub)group younger than 50 years only; C+, Different from CO (sub)group older than 50 years only). (Values are given as Median  $\pm$  MAD and [range] till not denoted otherwise).

measurements, could also contribute to this. Moreover, as our methods indicate a higher sensitivity to detect subtle shifts in the muscular water/fat-content in NMDs, one also has to consider that alterations in MRI may precede the clinical deterioration of a patient. Obviously, this is not fully described by the MRC score and requires a closer analysis of the exact relation between changing of ICA- and PCA-based parameter values and the correlated clinical presentation of a patient.

Finally, since we evaluated the full *WFD* without correction, we assume our measurements to be prone to bias from inhomogeneities of  $B_0$  and geometrical properties of the used coil system. As all data was recorded on a single scanner using the same coil system, this seemed not to have played a major role. However, this needs to be investigated further, especially when assessing regions with smaller muscle volumes, as in the neck or the arms, with expectedly higher distortions of the magnetic field. Also, differences in data quality performed on different MR scanners or with higher field strengths and improved sequence techniques (e.g., 3-point Dixon sequence) is to be expected, potentially leading to improved spatial resolution and discrimination power.

### Conclusion

PCA was found promising to allow robust classification of patients according to their stage of NMD, thereby extending the possibilities of FF. ICA enabled an apparently robust separation of regular from non-regular muscle components in the proposed standardized MRI feature–based matrices  $M_{w/f}$ , which could

offer a practical way for automatic identification of pathologically altered muscle tissue and possible NMD subgroups. Compared to FF, our preliminary results suggest a higher power of PCA- and ICA-derived parameters to detect subtle shifts in the MRI water/fat signal relation in NMDs, which encourages the conduction of further trials to overcome limitations of this study. PCA- and ICA-driven statistical assessment of neuromuscular MRI may, therefore, be used to substantially improve the diagnostic workup and monitoring of disease progression in NMDs.

# DATA AVAILABILITY STATEMENT

The datasets generated for this study are available on request to the corresponding author.

# ETHICS STATEMENT

The studies involving human participants were reviewed and approved by NÖ-Ethikkommission. The patients/participants provided their written informed consent to participate in this study.

# **AUTHOR CONTRIBUTIONS**

CN, UK, HC, and WS conducted the data collection. CN conceptualized the study and method design. CN and EM contributed to the analysis and interpretation of the data. CN

drafted the paper. All other authors revised it critically and approved the final version and agreed to be accountable for all aspects of this work.

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# SUPPLEMENTARY MATERIAL

The Supplementary Material for this article can be found online at: https://www.frontiersin.org/articles/10.3389/fphy. 2020.00195/full#supplementary-material

Supplementary Figure 1 | Example of individual ROIs covering the various muscles at each side in a representative slice near the mid-level of thighs and calves. These individual muscle ROIs were assessed cumulatively, thereby evaluating thighs or/and calves from both sides or legs as one large cumulative ROI, respectively. This allowed a cumulative investigation of both thighs, both calves and both lower limbs. Note that the ROIs covering bone marrow were used to check for Dixon inversion artifacts only.

**Supplementary Figure 2** | Cumulative standardized *WFD*-matrices  $M_{w/f}$  of thighs (upper images) and calves (lower images) measured in subjects *without* NMD. On the left side controls younger than 50 years and on the right side controls older than 50 years are displayed. The area including 95% of all control cases is marked in green color and green lines indicate their median water- and fat-signals. *WFD* in regular muscle tissue, was found rather homogeneous with a greater variance of the water-signal compared to, in its effect perpendicular to this, only minimal fat-signal variances. In calves and older subjects slightly bigger fat-signal variances were observed, which were not significantly different from younger subjects. Eigenvectors of  $M_{w/f}$  (multiplied by corresponding standard deviations, drawn as blue and red arrows in the middle) were very small in all control subjects.

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**Supplementary Figure 3** | WFD-matrices  $M_{w/f}$  of thighs measured in subjects with proven NMD overlain by the corresponding 95th quantile reference area of the control-group (green area). Lines give the median of normalized water- and fat-signals of NMD-patients (blue) and controls (green). Eigenvectors of each  $M_{w/f}$  (multiplied by corresponding standard deviations, drawn as blue and red arrows in the middle) show the direction of the principal components of each group. Compared to controls (reference), WFDs in patients suffering from ALS (left upper image), MMP (right upper image), SBMA (left lower image), or LGMD (right lower image) were clearly more inhomogeneous and rotated. Accordingly, scattering  $c (\varphi_{w/f}, \sigma_n)$  and rotation  $\varphi_{w/f}$  were much bigger compared to control subjects.

**Supplementary Figure 4** | WFD-matrices  $M_{w/f}$  of calves measured in subjects with proven NMD overlain by the corresponding 95th quantile reference area of the control-group (green area). Lines display the median of normalized water- and fat-signals of NMD- (blue) and control-patients (green). Eigenvectors of each  $M_{w/f}$  (multiplied by corresponding standard deviations, drawn as blue and red arrows in the middle) show the direction of the principal components of each group. Compared to controls (reference), WFDs in patients suffering from ALS (left upper image), MMP (right upper image), SBMA (left lower image), or LGMD (right lower image) were clearly more widespread and rotated. Scattering  $c(\varphi_{w/f}, \sigma_n)$  and rotation  $\varphi_{w/f}$  were also higher compared to control subjects.

**Supplementary Figure 5** | WFD-matrices  $M_{w/f}$  generated from component-vectors  $\vec{i}_1$  (right images) and  $\vec{i}_2$  (left images) derived from ICA with separation of two components. Cumulative ROIs of thighs (upper row) and calves (lower row) including all cases in the study were assessed for distinct WFD-patterns for regular  $\vec{i}_1$  and non-regular  $\vec{i}_2$ ) muscular tissue. Note that  $M_{w/f}$ of vectors  $\vec{i}_1$  display the same WFD as found in direct measurements in the control group.

Supplementary Figure 6 | ICA component plot showing the relation between component 1 (regular muscular tissue) and component 2 (non-regular muscular tissue) in thighs (left graph) and calves (right graph) from all patients (NMD-groups are indicated by colors, numbers indicate the MRC-score). Note that non-regular tissue seems to increase exponentially with loss of regular muscle tissue, where this behavior is clearly more pronounced in thighs than in calves.

**Supplementary Figure 7** Age was no significant confounder of PCA- and ICA-derived parameters. Robust linear regression analysis (LRA) testing for relevant effects from age revealed no significant relation with the measurements. In fact, parameters  $\varphi_{w/f}$ ,  $c(\varphi_{w/f}, \sigma_n)$ ,  $\rho_1$  and  $\rho_2$  turned out as rather specific indicators for muscle degeneration. Independently from age, stronger deviations of measurements from the x-axis were found in persons already more severely disabled by their NMD (NMDs are indicated by different colors; numbers display the MRC-score). Blue lines show the regression line for the respective parameter tested for its dependence on age in controls. Adjusted R<sup>2</sup> and significance of the relation between the respective parameter and age are also displayed.

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**Conflict of Interest:** The authors declare that the research was conducted in the absence of any commercial or financial relationships that could be construed as a potential conflict of interest.

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