



# Seismic Performance Evaluation of Shape Memory Alloy (SMA) Reinforced Concrete Bridge Bents Under Long-Duration Motion

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The emergence of the Shape Memory Alloy (SMA) rebar has paved the way toward resilient bridge design through improved post-earthquake functionality. The focus of this study is to numerically examine the effects of SMA rebar inclusion on the seismic performance of a reinforced concrete (RC) bridge bent under long-duration motions and perform a comparative analysis with the conventional steel-reinforced bridge bent. The duration effect is examined by assembling a pair of forty long-duration and spectrally equivalent short duration motions, without considering the pulse-nature of ground motions. Three different reinforcement configurations, with and without SMA rebar in the bridge bent bottom and top plastic hinge, are considered here. Using the selected ground motions, incremental dynamic analysis (IDA) is conducted to examine the duration effect considering different performance of ground motion duration is observed which is found to have a lesser impact on the SMA reinforced bents. The detrimental effect of long-duration motion is more pronounced for the steel-reinforced bridge bent compared to the SMA reinforced bents.

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# INTRODUCTION

Recent devastating earthquakes around the world were of high magnitude as well as lasted for a longer period of time. For instance, the approximate duration of the magnitude (Mw) 9.0 Tohoku earthquake in Japan (2011), the Mw 8.8 Chile earthquake (2010), and the Mw 7.9 Wenchuan Earthquake in China (2008) was 300, 200, and 180 s, respectively. An increasing number of experimental and numerical studies conducted on structural response under long-duration motions reflects the increasing attention to this topic. These include experimental investigation of bridge piers (Ou et al., 2014; Mohammed, 2016; Lopez et al., 2020), numerical investigation on concrete frames (Ruiz-Garcia, 2010; Raghunandan and Liel, 2013; Belejo et al., 2017), steel frames (Chandramohan et al., 2016; Barbosa et al., 2017), concrete dams (Zhang et al., 2013; Wang et al., 2015), timber frames (Pan et al., 2018), seismically isolated bridges (Hassan and Billah, 2020), and masonry structures (Bommer et al., 2004). Kempton and Stewart (2006) identified ground motion duration to be a significant parameter for structures susceptible to strength degradation under cyclic loading. While most of the researchers reported ground motion duration to have a detrimental effect on structural performance, few studies reported no meaningful impact arising from the duration of ground motion. The mixed conclusions drawn from past studies can be attributed to the consideration of different types of structures, strategies for ground motion selection, adopted modeling techniques, and lack of adequate historical longduration motions.

Following the 2008 China (Wenchuan) Earthquake, Han et al. (2009) surveyed 320 damaged bridges and reported that 39% of surveyed bridges experienced moderate damage while 14% bridges suffered severe damage. Van de Lindt and Goh (2004) concluded that long-duration motions have a significant effect on structural reliability and should be considered in performance-based design. Ruiz-Garcia (2010) found that longduration motion imparts higher residual drift demand in the upper stories of flexible frames. Chandramohan et al. (2016) reported the detrimental effect of long-duration motions on the collapse performance of a bridge pier and steel moment frame. Ou et al. (2014) tested several concrete bridge piers under longduration motions and reported its effect on column strength degradation as a result of longitudinal bar buckling resulting from the repeated cyclic loading. Barbosa et al. (2017) found that with increasing spectral intensities, long-duration motions increase the drift demand in steel frames which was very minimal for low values of spectral acceleration.

Under any seismic excitation, the bridge piers are expected to experience more inelastic deformation than any other component. Increased number of load reversals during a longduration motion can step up the damage significantly through degradation of strength and stiffness. Shake table tests conducted on substandard bridge columns by Lopez et al. (2020) showed that long-duration motions cause significant damage to bridge piers compared to the short duration motions. Observations from the past earthquakes showed the susceptibility of conventional bridge piers experiencing large residual drift. Under longduration motions, conventional bridges might experience higher residual deformation as they are subjected to a large number of loading cycles. Lopez et al. (2020) also observed larger residual crack widths in bridge piers when subjected to long-duration motions. In this context, self-centering bridge piers have gained popularity due to their ability to return to their original position even after a strong earthquake excitation (Kwan and Billington, 2003; Saiidi et al., 2009; Billah and Alam, 2015; Sideris et al., 2015). Researchers have used advanced materials in the critical regions (i.e., plastic hinge) of bridge piers to limit the residual drift and to control the damage. These include Ni-Ti SMA and Engineered Cementitious Composite (ECC) (Saiidi et al., 2009), Cu-based SMA and ECC (Hosseini et al., 2015), Iron-based SMA and conventional concrete (Billah and Alam, 2018), Ni-Ti SMA, ECC, and elastomeric pad (Cruz Noguez and Saiidi, 2012), and coupled SMA-Steel reinforcement (Xiang et al., 2020). Alternatively, unbonded post-tensioned RC piers have been used by different researchers (Kwan and Billington, 2003; Sideris et al., 2015) as an effective strategy to control the residual deformation and improve the post-earthquake functionality of bridges. All past applications of SMA as longitudinal reinforcement in bridge piers have shown its ability in reducing the residual

deformation and improving the overall seismic performance of the bridge pier.

Bridge bents represent a significant element in a bridge which are designed to have sufficient deformation capacity and behave in a ductile manner. Multi-column bridge bents are very common for highway bridges that support the superstructure. All past studies on structural applications of SMA rebar in bridges have been dedicated to improving the seismic response and performance of bridge piers only. However, the response of a multi-column bridge bent can be significantly different from a single, cantilever pier under seismic excitations. No study has been dedicated to understanding the effect of using SMA rebar on the dynamic response of bridge bents under long-duration motions. The objective of this study is to numerically examine the influence of SMA rebar on the seismic behavior of a multicolumn bent under long-duration ground motions and compare the results with the conventional steel-reinforced bridge bent. To investigate the duration effect, the SMA-RC and Steel-RC bents are also analyzed under spectrally equivalent non-pulse type short duration motions. Bridge bents with three different longitudinal reinforcement arrangements are considered in this study, such as (a) SMA-B: SMA only in the bottom plastic hinge region of the pier and regular Steel bar in the remaining portion, (b) SMA-B-T: SMA in the bottom and top plastic hinge region of the pier and regular Steel bar in the remaining portion, and (c) Steel-RC: bridge bent reinforced with steel rebar. Using a pair of forty long-duration and spectrally equivalent short duration motions, the performance of the SMA reinforced bridge bents are evaluated and compared with the regular Steel-RC bent. The performance of the bridge bents is compared in terms of maximum drift, residual drift, and performance criteria, such as yielding of reinforcement, spalling of cover concrete, and crushing of core concrete. The outcome of this study is expected to aid in identifying the relative effectiveness of SMA reinforced bridge bents from a performance-based perspective under longduration ground motions.

### **DURATION OF GROUND MOTION**

To study the ground motion duration effect on structures, it is important to define the duration of strong motion. Since different definitions hold different assumptions, significant variations can be expected in the computed strong-motion duration (Lin et al., 2010). Thirty definitions of strong-motion duration were studied by Bommer and Martinez-Pereira (1999). Among different duration definitions, significant duration  $(t_{D5-95})$ (Trifunac and Brady, 1975), bracketed duration (D<sub>B</sub>) (Page et al., 1972), Cumulative Absolute Velocity (CAV) (Reed and Kassawara, 1990), arias intensity (AI) (Arias, 1970), and dimensionless duration metric (ID) (Cosenza and Manfredi, 1997) are repeatedly used by researchers for seismic performance evaluation of structures. The use of different definitions of strong motion is structure-specific and depends on the purpose of the study. Among different definitions, many researchers (Iervolino et al., 2006; Raghunandan and Liel, 2013; Chandramohan et al., 2016) recommended and used 5-95% significant duration  $(t_{D5-95})$  as the defining parameter. Moreover, Bommer and Martinez-Pereira (1999) reported that significant duration is independent of ground motion scaling and comparatively stable in terms of start and end threshold definitions. Chandramohan et al. (2016) reported that 5–95% significant duration ( $t_{D5-95}$ ) is better suited for hazard characterization and selection of ground motion. As recommended by past studies and its effectiveness in capturing the duration effect, significant duration  $(t_{D5-95})$ is considered in this study for defining the ground motion duration. Figure 1A compares the acceleration time histories of two ground motions with similar intensities (PGA) having different significant durations. The significant duration of the two ground motions is also shown in the figure. In Figure 1B the % of arias intensity (AI) of the two ground motions is shown which illustrates that the energy accumulation in long-duration motion occurs over a long period of time.

### **GROUND MOTION SELECTION**

To quantify the effect of the duration of ground motions, 40 pairs of spectrally equivalent long and short duration record sets are assembled according to the procedure proposed by Chandramohan et al. (2016). First, a set of 100 longduration motions are obtained from the world wide database of past earthquakes (PEER, COSMOC, CESMD). Records with significant duration  $(t_{D5-95}) > 40$  s are considered as longduration motions. Out of those 100 records, 62 records matched these criteria resulting a geometric mean  $t_{D5-95}$  of 64 s. This subset of 62 long-duration records has a PGA >0.1 g and PGV >10 cm/s. All these ground motions represent different historical events, such as the mega quakes of Chile (1985, 2010), Taiwan (1999), Japan (2003, 2010), and Indonesia (2007). Next, 100 short duration motions (non-pulse type) are obtained from the PEER NGA ground motion database (2011). Records with significant duration  $(t_{D5-95}) < 40$  s and epicentral distance >15

km are considered as short duration motions. To achieve spectral equivalency of the short and long-duration motions, matching is performed within the period range of 0.05-4.0 s. The records of the short set are scaled in such a way that each short record matches the 5% acceleration response spectrum of one longduration record within the period range of interest. To avoid bias in scaling, a scale factor of 5 is considered as the maximum. This also allowed to minimize the sum of squared error differences of the 5% acceleration response spectrum between the short and long record sets. To avoid event bias, a maximum of 10 records (5 pairs) were selected from each event. This record selection process provided 40 pairs of spectrally equivalent long and short duration record sets. This matching process allowed eliminating dissimilarities in spectral shape between a record pair thus allowing to consider duration as the single factor responsible for differences in seismic response. The information pertaining to the selected long and short duration record sets are summarized in Tables 1, 2, respectively. The distribution of significant durations in the selected 40 pairs of ground motions are shown in Figure 2. A comparison of the acceleration time histories and 5% acceleration response spectrum of two spectrally equivalent long and short duration motions are depicted in Figure 3.

### DESIGN AND GEOMETRY OF BRIDGE BENT

The bridge bent considered in this study consists of two circular columns connected by a rectangular bent cap. A simple geometric configuration is considered here so that the dynamic behavior is mainly governed by the fundamental mode. The two-column bent considered here constitutes the substructure of a multi-span steel girder bridge located in Vancouver, BC, Canada. The bent is designed following the seismic design guideline outlined in the Canadian Highway Bridge Design Code (Canadian Standard Association [CSA], 2019). **Figure 4** shows the details of the bridge



#### TABLE 1 | List of long duration motions.

Event name	EQ no.	Station (Source)	Component	Epi. dis (km)	PGA (g)	5–95% Ds (s)
Tohoku, Japan, 2011	1	Hitachi (1)	EW	245.2	1.93	45.97
	2	Hitachi (1)	NS	245.2	2.64	46.07
	3	Sakura (1)	EW	345.7	0.75	46.94
	4	Sakura (1)	NS	345.7	1.48	41.8
	5	Sendai (1)	EW	126.1	1.49	106.59
	6	Sendai (1)	NS	126.1	2.31	90.22
	7	Shiogama (1)	EW	118.1	1.49	106.59
	8	Shiogama (1)	NS	118.1	2.31	90.22
	9	Tsukidate (1)	EW	125.9	1.95	85.15
	10	Tsukidate (1)	NS	125.9	4.59	81.5
/alparaiso, Chile, 1985	11	San Isidro (2)	Long	-	0.69	45.95
	12	San Isidro (2)	Trans	-	0.38	50.8
	13	Ventanas (2)	0	-	0.70	42.61
	14	Ventanas (2)	90	-	0.70	42.36
	15	Vina del Mar (2)	200	-	0.22	55.88
	16	Vina del Mar (2)	290	-	0.23	56.34
	17	Zapallar (2)	EW	-	0.32	45.87
	18	Zapallar (2)	NS	-	0.22	55.09
	19	Llolleo (2)	10	120	0.29	40.38
	20	Llolleo (2)	100	120	0.26	41.01
Naule, Chile, 2010	21	Angol (1)	EW	209.3	0.74	49.76
	22	Angol (1)	NS	209.3	0.95	50.81
	23	Curico (1)	EW	170.5	0.48	50.19
	24	Curico (1)	NS	170.5	0.19	54.01
	25	Hualane (1)	EW	136	0.38	55.08
	26	Hualane (1)	NS	136	0.37	61.67
	27	Santiago Maipu (1)	90	274.3	0.53	43.8
	28	Santiago Maipu (1)	0	274.3	0.53	42.19
	29	Talca (1)	EW	113.1	0.21	72.07
	30	Talca (1)	NS	113.1	0.46	69.86
Sumatra, Indonesia, 2007	31	Sikuai Island (1)	EW	392.2	0.12	42.37
	32	Sikuai Island (1)	NS	392.2	0.12	40.22
lokkaido, Japan, 2003	33	Bekkai-W (2)	90	-	0.11	56.29
	34	Bekkai-W (2)	0	-	0.19	84.28
	35	Tohoro (2)	90	-	0.14	50.63
	36	Tohoro (2)	0	-	0.12	44.17
ChiChi, Taiwan, 1999	37	CHY025 (3)	EW	-	0.16	97.12
	38	CHY025 (3)	NS	-	0.15	97.15
	39	CHY008 (3)	EW	-	0.14	66.14
	40	CHY008 (3)	NS	_	0.12	77.45

(1) Center for Engineering Strong Motion Data [CESMD] (2012).

(2) Cosmos Strong-Motion Virtual Data Center (2012).

(3) PEER (2011).

bent. The bent cap is a rectangular one (1,600 mm  $\times$  1,800 mm) reinforced with 28–30 M bars at the top, 14–30 M bars at the bottom, and 5–20 M bars equally spaced on each of the two sides (**Figure 4B**). Three different configurations of pier longitudinal reinforcement are considered here. The 1.5 m circular bridge columns have 28 longitudinal rebars which consisted of 30 M steel (diameter 29.9 mm) rebar or SMA30 (diameter 31 mm) bars in the plastic hinge region (**Figure 4C**). Here, the top and bottom plastic hinge zones of the columns are reinforced with Ni-Ti SMA and regular steel rebar is used elsewhere. The transverse

reinforcement consists of 15 M spiral at 65 and 150 mm pitch within and outside the plastic hinge, respectively. The potential plastic hinge length of the SMA reinforced columns is estimated using the analytical formula proposed by Billah and Alam (2016c) (Eq. 1):

$$\frac{L_p}{d} = 1.05 + \left(0.25 \frac{P}{f'_c A_g}\right) + \left(0.08 \frac{L}{d}\right) + \left(0.0002 f_{y-SMA}\right) - (0.16\rho_l) - \left(0.019 f'_c\right) - (0.24\rho_s)$$
(1)

Eq no.	Event name	Year	Station (Source)	Magnitude	PGA (g)	Scale factor
1	Chi-Chi, Taiwan	1999	TTN004	7.6	0.045	3.046
2	Tabas, Iran	1978	Dayhook	7.4	0.362	3.393
3	El Mayor-Cucapah	2010	El Centro - Meadows Union School	7.2	0.199	3.735
4	Helena, Montana-01	1935	Carroll College	6	0.162	2.221
5	Tottori, Japan	2000	KGW004	6.6	0.068	3.201
6	Joshua Tree, CA	1992	Morongo Valley Fire Station	6.1	0.102	3.687
7	Chi-Chi, Taiwan-03	1999	TCU075	6.2	0.232	1.855
8	N. Palm Springs	1986	Fun Valley	6.1	0.129	2.243
9	Duzce, Turkey	1999	Lamont 1058	7.1	0.114	2.286
10	Iwate	2008	YMT001	6.9	0.039	4.713
11	Iwate	2008	Yokote Ju Monjimachi	6.9	0.111	3.352
12	Chi-Chi, Taiwan	1999	CHY071	7.6	0.094	4.719
13	Imperial Valley-06	1979	Parachute Test Site	6.5	0.132	3.035
14	Chi-Chi, Taiwan	1999	CHY027	7.6	0.047	4.56
15	Northridge-01	1994	Mt Baldy - Elementary Sch	6.7	0.08	4.028
16	Northridge-01	1994	LA - Wonderland Ave	6.7	0.116	3.081
17	Christchurch, New Zealand	2011	LINC	6.2	0.148	1.166
18	Loma Prieta	1989	Sunnyvale - Colton Ave.	6.9	0.203	1.39
19	Chi-Chi, Taiwan	1999	TCU106	7.6	0.182	1.015
20	Loma Prieta	1989	Richmond City Hall	6.9	0.137	3.594
21	N. Palm Springs	1986	Hurkey Creek Park	6.1	0.232	2.716
22	Iwate	2008	IWTH01	6.9	0.095	4.247
23	Northridge-01	1994	Manhattan Beach - Manhattan	6.7	0.181	3.819
24	Morgan Hill	1984	Gilroy Array #7	6.2	0.192	4.29
25	L'Aquila, Italy	2009	L'Aquila - V. Aterno - Colle Grilli	6.3	0.522	2.431
26	Morgan Hill	1984	Hollister Diff Array #1	6.2	0.124	3.008
27	San Fernando	1971	Lake Hughes #1	6.6	0.102	1.375
28	Loma Prieta	1989	Larkspur Ferry Terminal (FF)	6.9	0.146	0.823
29	Chi-Chi, Taiwan-06	1999	TCU100	6.3	0.034	4.793
30	Loma Prieta	1989	Los Gatos - Lexington Dam	6.9	0.418	0.349
31	Landers	1992	West Covina - S Orange Ave	7.3	0.046	4.039
32	N. Palm Springs	1986	Anza - Tule Canyon	6.1	0.105	2.588
33	Northridge-01	1994	Canyon Country - W Lost Cany	6.7	0.41	1.37
34	Taiwan SMART1(40)	1986	SMART1 O01	6.3	0.034	3.575
35	Morgan Hill	1984	Halls Valley	6.2	0.168	0.735
36	Chuetsu-oki	2007	Joetsu Yasuzukaku Yasuzuka	6.8	0.231	0.878
37	Northridge-01	1994	Simi Valley - Katherine Rd	6.7	0.815	0.632
38	Chalfant Valley-02	1986	Zack Brothers Ranch	6.2	0.489	0.566
39	Kocaeli, Turkey	1999	Eregli	7.5	0.107	2.211
40	Chuetsu-oki	2007	Kashiwazaki Nishiyamacho Ikeura	6.8	0.845	0.211

where,  $L_p$  is the plastic hinge length, *d* is the diameter of the pier, L/d is the aspect ratio,  $P/f_cA_g$  is the axial load ratio,  $\rho_l$  = longitudinal reinforcement ratio,  $\rho_s$  = transverse reinforcement ratio,  $f_{y-SMA}$  = yield strength of SMA rebar and  $f_c$ ' = concrete compressive strength.

The calculated plastic hinge length of the 15 m long piers are found to be 1,940 mm. On the other hand, the plastic hinge length in the steel-RC bent is calculated as 1,500 mm according to the Paulay and Priestley (1992) equation:

$$L_p = 0.08L + 0.022d_b f_y \tag{2}$$

The material properties of Ni-Ti SMA, steel rebar, and concrete considered for the bridge bents are summarized in **Table 3**. Figure 5 compares the stress-strain behavior of the superelastic Ni-Ti SMA and the mild steel rebar under cyclic loading. The presence of SMA rebar in the plastic hinge region did not alter the moment capacities of the bridge piers significantly as observed from the comparable moment capacities as illustrated in Figure 6. The moment-curvature response of the SMA and Steel-reinforced sections are shown in Figure 6 which show lower stiffness of the SMA reinforced section resulting from the lower elastic modulus of Ni-Ti SMA.



### ANALYTICAL MODELING OF BRIDGE BENTS

Employing an accurate analytical model that incorporates the cyclic deterioration of strength and stiffness is a prerequisite to get a realistic approximation of seismic response under longduration motion. The analytical model should be capable of predicting the anticipated strength and stiffness degradation of different components (Ibarra et al., 2005; Lignos and Krawinkler, 2011). Figure 7 shows the details of the non-linear 3D model of the bridge bent developed in this study using SeismoStruct (SeismoSoft, 2020). The FE model includes some idealizations and realistic assumptions for representing different components. Force-based fiber elements in SeismoStruct are employed for modeling the steel and SMA reinforced concrete columns and the steel-reinforced bent cap. Confined and unconfined fiber sections are defined using the Mander et al. (1988) concrete model. The stress-strain behavior for steel reinforcement is defined using the Menegotto and Pinto (1973) constitutive relationship that includes the isotropic strain hardening property. The SMA uniaxial model proposed by Auricchio and Sacco (1997) is used to simulate the Ni-Ti SMA fiber sections. This study employed a zero-length inelastic spring to simulate the bond-slip behavior of SMA rebar in concrete. The bond slip spring is modeled based on the experimental bond stress-slip relation developed by Billah and Alam (2016a). More details about the modeling of the bond-slip behavior can be found in Billah and Alam (2018).

To evaluate the effectiveness of the adopted modeling approach, a comparison is performed against experimental results from the literature. Mohammed (2016) performed shake table investigations on large-scale bridge piers to evaluate the seismic performance under long-duration motions. In this study, the bridge pier tested by Mohammed (2016) (specimen-LD-J2) is modeled using the distributed plasticity approach as described above. **Figure 8A** compares the experimental forcedisplacement relationship from Mohammed (2016) (specimen-LD-J2) and the results obtained using the adopted modeling technique. From **Figure 8A** it is evident that the adopted modeling technique predicted the experimental response with a certain level of accuracy. The numerical model overestimated the maximum drift by 3.5%, whereas it underestimated the residual drift by 5%. In terms of cumulative energy dissipation, the model overestimated by 7%. Comparison of the results presented in **Figure 8A** highlights that the adopted modeling approach demonstrated reasonable accuracy in reproducing the experimental response and captured reasonably well the in-cycle and cyclic deterioration as well as the stiffness and strength degradation of the specimen tested.

In addition, **Figure 8B** shows the validation of the experimental result from the shake table test of a SMA-RC bridge pier (Saiidi and Wang, 2006). Since no tests have been performed on SMA-RC bridge piers under long-duration motion, the ability of the numerical model in predicting the dynamic response of SMA-RC bridge pier is demonstrated in **Figure 8B**. The numerical results obtained from SeismoStruct could predict the experimental result of Saiidi and Wang (2006) accurately where the variations are only 5.6, 6.1, and 9.4% for base shear, tip displacement, and amount of energy dissipation, respectively.

After developing the detailed numerical models of the steel and SMA reinforced bridge bents, eigenvalue analysis is performed on all three bents. The natural period of the steel-RC, SMA-B, and SMA-B-T bridge bents were found to be 0.46, 0.48, and 0.49 s, respectively. The Steel-RC has a slightly lower fundamental period than the SMA bents. This can be attributed to the lower stiffness of the SMA rebar which resulted in higher flexibility of the SMA-RC bents.

### EFFECT OF GROUND MOTION DURATION OF SEISMIC RESPONSE

After validating the finite element model, the three bridge bents are analyzed using incremental dynamic analysis (IDA) (Vamvatsikos and Cornell, 2002) under the suite of 40 longduration and 40 spectrally equivalent short duration motions. Each ground motions are scaled to multiple intensity levels to obtain dynamic instability or collapse of the bridge bent. This allowed for the effect of ground motion duration to be isolated. For each ground motion pair, IDA is performed for a least 20 intensity levels. Each IDA curve represents the relationship between the selected intensity measure (IM) with an engineering demand parameter (EDP) of the structural system (e.g., drift, acceleration). Wide varieties of IMs have been used by different researchers for the collapse assessment of structures using IDA. Spectral acceleration at the fundamental period of the structure  $(S_a, T1)$  is one of the most commonly used IM in practice and considered as the preferred IM in this study. Many past studies (Iervolino et al., 2006; Foschaar et al., 2012; Chandramohan et al., 2016) have used  $S_a$  (T1, 5%) as the IM to investigate the ground motion duration effect on the seismic response of buildings and bridges.

### **Characterization of Performance Limits**

A critical step in performance-based design and assessment is to predict different damage states or performance levels under different levels of ground motions. To compare the performance







of the three bents, a set of performance-based limit states, in terms of engineering performance criteria, are first established. In addition to maximum and residual drift, various quantitative performance limits (cracking, yielding, strength degradation) corresponding to different drift levels are developed for the steel and SMA reinforced bents.

Three quantitative performance limit states are defined for the three bents in terms of drift (%). These limit states for the three bents are developed following the different drift-based functional and performance levels proposed by Billah and Alam (2016b). **Tables 4, 5** summarize the three performance and functional levels, the damage description, and the corresponding limiting

drifts for the Steel and SMA reinforced bents, respectively. In this study three performance levels are considered where first yielding of the longitudinal rebar represents the yielding performance level, the onset of cover spalling denotes the local mechanism initiation and crushing of core concrete characterizes the strength degradation of the bent. The drift corresponding to each stage is obtained by tracking the corresponding material (concrete and steel/SMA) strain. The yield strain of steel and SMA rebar is obtained by dividing the yield stress by the corresponding elastic modulus which is found to be 0.0025 and 0.00704, respectively. Since there is no definite yield stress for SMA, the austenite-tomartensite starting stress is referred to as the yield stress for SMA TABLE 3 | Material properties for SMA-RC and Steel-RC bridge pier.

Material	Property	
Concrete	Compressive strength (MPa)	30
	Corresponding strain	0.0029
	Elastic modulus (GPa)	28.1
SE SMA	Modulus of elasticity (GPa)	68
	Austenite-to-martensite starting stress (MPa)	435
	Austenite-to-martensite finishing stress (MPa)	535
	Martensite-to-austenite starting stress (MPa)	335
	Martensite-to-austenite finishing stress (MPa)	170
	Superelastic plateau strain (%)	6.5
Steel	Elastic modulus (GPa)	200
	Yield stress (MPa)	450
	Ultimate stress (MPa)	675
	Ultimate strain	0.14
	Plateau strain	0.016





rebar. As suggested by Priestley et al. (1996), concrete spalling is expected to start at a strain of 0.004. Crushing of core concrete represents significant strength degradation which typically occurs when confined concrete strain is between 0.015 and 0.05 (Paulay and Priestley, 1992). In this study, the concrete crushing strain is calculated using Eq. 3 proposed by Paulay and Priestly (1992):

$$\varepsilon_{cu} = 0.004 + 1.4\rho_s f_{yh} \varepsilon_{sm} / f'_c \tag{3}$$

Where,  $\varepsilon_{cu}$  is the ultimate compression strain,  $\varepsilon_{sm}$  is the steel strain at maximum tensile stress,  $f_c$  is the concrete compressive strength in MPa,  $f_{yh}$  is the yield strength of transverse steel in MPa, and  $\rho_s$  is the volumetric ratio of confining steel. Based on the transverse reinforcement, the crushing strain is calculated to be 0.016.

After obtaining the material strains corresponding to different performance criteria, non-linear static pushover analysis is performed on the three bents. Non-linear static pushover analysis is employed to estimate and compare the lateral load and deformation capacities of the three bents. A displacementcontrolled pushover analysis was carried out by applying displacement as incremental load. The first occurrence of each material strain (yield, spalling, and crushing) is recorded from the response of the concrete and reinforcing material fiber which is translated to drift limits by obtaining the corresponding displacement. The pushover curves and the three performance limits associated with each bent are shown in Figure 9. The calculated drift limits of each performance level are summarized in Tables 4, 5. The SMA reinforced bents have slightly higher yield drift limit due to the higher yield strain of Ni-Ti SMA rebar. In addition, the lower stiffness of SMA rebar reduced the overall stiffness of the bent and resulted in higher drift before yielding. Similarly, higher limiting drift values are found for the SMA reinforced bents at the spalling and crushing performance limits. Due to the smooth surface of the SMA rebar, it caused more slippage and resulted in less cracking that subsequently delayed the concrete spalling. Past experiments on SMA reinforced concrete members (Youssef et al., 2008; Saiidi et al., 2009) reported similar delayed concrete spalling.

Under lateral load, the core concrete crushing took place at a higher drift level for the SMA reinforced bents compare to the steel-reinforced counterpart. The crushing drift is determined when the strain in core concrete reaches or exceeds 0.016. The first occurrence of core crushing is observed at a drift of 4.78 and 3.90% for the SMA and Steel-reinforced bent, respectively. Saiidi et al. (2009) also reported higher crushing drift for SMA reinforced columns compared to steel-reinforced ones. Experimental studies on concrete beam-column joints by Alam et al. (2009) also reported higher drift sustained by SMA reinforced joints compared to steel-reinforced ones at similar damage levels.

#### **Maximum Drift**

The comparative seismic response of three bridge bents under the long-duration and equivalent short duration ground motions are evaluated in terms of maximum drift. Using IDA results obtained from each set of 40 ground motions, IDA curves are developed leveraging the EDP-IM relationship. The developed IDA curves, depicted in **Figures 10–12**, compare the response of the three bents under the two sets of ground motions. To facilitate comparisons between the three bents, percentile IDA





#### TABLE 4 | Damage states of steel-RC bridge bents in terms of performance criteria.

Performance level	Functional level	Description	Drift, ∆ (%)	
			Steel-RC	
Yielding	Operational	Theoretical first yield of longitudinal rebar	$\Delta > 1.42$	
Initiation of local mechanism	Life safety	Onset of concrete spalling	$\Delta > 1.88$	
Strength degradation	Collapse	Crushing of core concrete	$\Delta > 3.90$	

#### TABLE 5 | Damage states of SMA-RC bridge bents in terms of performance criteria.

Performance level	Functional level	Description	Drift, $\Delta$ (%)	
			SMA-B	SMA-B-T
Yielding	Operational	Theoretical first yield of longitudinal rebar	$\Delta > 1.94$	$\Delta > 1.94$
Initiation of local mechanism	Life safety	Onset of concrete spalling	$\Delta > 2.53$	$\Delta > 2.72$
Strength degradation	Collapse	Crushing of core concrete	$\Delta > 4.78$	$\Delta > 4.78$



curves are calculated using the EDP given IM (i.e., EDP| IM) percentiles (Vamvatsikos and Cornell, 2002). Along with the individual IDA curves, the median (50% percentile), 16 and 84% percentile IDA curves are also presented here. Assuming a lognormal distribution of the maximum drift as a function of  $S_a(T1)$ , the median IDA curves represent the central value while the two percentiles (84 and 16%) denote the median times  $e^{\pm dispersion}$ , where "dispersion" is the standard deviation of the logarithms of the values (Jalayer and Cornell, 2003).

Using the limit states described in the previous section, the performance of the three bents is assessed using IDA curves. Using the EDP based rule (Vamvatsikos and Cornell, 2002), the limit states for each performance level are identified from the IDA curves. The corresponding IM at which the limit state is exceeded is also tabulated under each figure. Figures 10A,B show the IDA curves for the SMA-B bent and the results for different limit states under short and long-duration motions, respectively. The median S<sub>a</sub> at yielding for the SMA-B bent is found to be 1.13 and 1.05 g for the short duration and long-duration motion sets, respectively. A similar observation can be made for concrete crushing where the median  $S_a$  for long and short duration motions are 2.36 and 2.46 g, respectively. These figures also show the maximum drift threshold of 4.78% (solid vertical line) which is used to indicate the collapse of the SMA-B bent. From Figure 10 it can be seen that under short duration motions, the SMA-B bent experienced an average maximum drift of 4.30% just before collapse (dashed vertical line), compared to 4.02% experienced under the longduration motions. This can be attributed to the large inelastic deformation caused by cyclic deterioration resulting from a large number of displacement cycles of the long-duration motions.

The IDA curves for the SMA-B-T bent are shown in **Figures 11A,B**. Similar trend is also observed in the case of the SMA-B-T bent. These figures show the maximum drift collapse threshold and the mean maximum drift before the collapse. Under short duration ground motions, SMA-B-T bent sustained an average maximum drift of 4.65% just before collapse (vertical line), compared to 4.35% experienced under the long-duration ground motions. Similarly, for yielding and spalling, the median

*S<sub>a</sub>* required for short duration motions is 6.3 and 16.7% higher as compared to the long-duration motions, respectively.

**Figures 12A,B** compare the IDA curves for the Steelreinforced bent under the two sets of ground motions. Similar to the SMA reinforced bents, the long-duration motions yielded collapse at a smaller drift of 3.46% compared to 3.68% required under the short duration motions for the steel-reinforced one. However, the maximum drift collapse threshold of steel-RC bridge bent (3.90%) is significantly lower than the maximum drift collapse threshold of SMA-RC bridge bent (4.78%). The median collapse  $S_a$  for short duration motion is 2.40 g which is 5% higher than the median collapse  $S_a$  for long-duration motion set. The median  $S_a$  for yielding and spalling limit states are found to increase by 8.9 and 9.8%, respectively, for the short duration motions as compared to the long-duration counterparts.

Performance comparison of the three different bents aid in comprehending the efficacy of including SMA rebar in the bridge bents under the long-duration motions. It is evident from the above discussion that all three bridge bents experienced collapse before reaching the collapse threshold obtained using non-linear pushover analyses. Irrespective of the ground motion duration, the SMA-B-T bent could sustain a higher drift before the collapse. Under long-duration motions, SMA-B-T bent experienced collapse at a maximum drift of 4.35% which is 9% lower than the collapse threshold. However, the SMA-B and Steel-RC bent reached collapse at a maximum drift which is 15.9 and 11.3% less than the specified collapse threshold, respectively. Since SMA was used in both top and bottom plastic hinge regions of the SMA-B-T bent, it had lower stiffness which allowed it to deform more before the collapse.

#### **Residual Drift**

Ensuring adequate post-earthquake functionality is one of the major objectives of performance-based seismic design. Residual drift encountered during an earthquake controls the post-earthquake functionality of any structure (Ramirez and Miranda, 2012; Yazgan and Dazio, 2012). Although a significant performance indicator, bridge design codes and guidelines do not prescribe any limits or measures for controlling residual drift with the exception being the Japanese code for highway bridge design (Japan Road Association, 2006). After the 1995 Kobe earthquake, an increasing number of solutions have been proposed by various researchers for controlling the residual drift and proposed different residual drift limit states for bridges and buildings. If a bridge pier exceeds 1% residual drift, Lee and Billington (2011) recommended the bridge to be replaced. In an attempt to develop a residual drift based design guidelines for SMA-RC bridge pier, Billah and Alam (2016b) proposed residual drift based damage states for bridge piers. In this study, the residual drift limit states are considered based on the recommendations of Billah and Alam (2016b). When the pier sustains residual drift below 0.25% it is considered to be a fully functional bent while exceeding 1% residual drift is considered as the collapse limit state.

Figure 13 shows the comparative performance of the three bents under long-duration motions. Here, the collapse threshold of residual drift is considered as 1% which is shown by the



duration motion.



solid vertical lines in the figures. These figures also show the mean collapse residual drift of each bridge bent (dashed vertical line) when subjected to long-duration motions. **Figure 13** reveals that the SMA-B-T bent, reinforced with SMA in the top and bottom plastic hinge, could undergo large residual drift (0.58%) before collapse which is 10.3 and 58.6% higher than the SMA-B and steel-RC bent, respectively. The median collapse  $S_a$  for SMA-B-T bent is found to be 2.45 g which is 24.5 and 49% higher than the collapse  $S_a$  of SMA-B and steel-RC bent, respectively.







**Figure 14** shows the comparative performance of three bridge bents under spectrally matched short duration motions. Observation from the figures reveals that the SMA-B-T bridge bent experienced a residual drift of 0.68% before collapse which is 10.3 and 27.9% higher than the SMA-B and steel-RC bent, respectively. It shows that bridge bent reinforced with SMA at the top and bottom plastic hinge (SMA-B-T) is more effective than bridge bent reinforced with SMA in the bottom plastic hinge under both short and long-duration motions. The median collapse  $S_a$  for the SMA-B-T bent is 2.64 g which is 2.3 and 6% higher than the median collapse  $S_a$  of SMA-B and steel-RC bridge bent, respectively.

Performance comparison of the three bents under spectrally equivalent short and long-duration motions revealed that the ground motion duration considerably affects the collapse capacity in terms of residual drift. The analysis result showed that the effect of SMA is more pronounced under long-duration motions. The median collapse  $S_a$  for the SMA-B-T bent is 27.9% higher for the long-duration motions and only 6% higher for the short duration motions as compared to the steel-RC bent. Similar performance is observed in the case of SMA-B bent where the median collapse  $S_a$  is 7.8 and 4% higher (compared to steel-RC bent) for the long and short duration motion, respectively. These results show the effectiveness of SMA in reducing the residual drift even under long-duration motions.

### **Cumulative Energy Dissipation**

Reinforced concrete structures are subjected to a number of load reversals during an earthquake thus expected to dissipate a large amount of seismic energy through inelastic deformation



20

10

0

0

5

200

FIGURE 15 | Average cumulative energy dissipation of three bridge bents under (A) long duration and (B) spectrally equivalent short duration motions.

SMA-B-T

Steel

SMA-B

160



20

10

0

0

40

80

Time (sec)

120

The hysteretic energy dissipated by a bridge bent over the duration of ground shaking was calculated as the area enclosed by the hysteresis loop formed by the earthquake-induced shear forces and the relative displacement between the column base and bent cap. The cumulative energy dissipated by the bridge bents during each seismic excitation was calculated by summing up the dissipated energy in successive load-displacement loops throughout the analysis. Figures 15A,B show the average cumulative energy dissipation of the three bridge bents under

long duration and spectrally matched short duration record sets, respectively. From the figure it is evident that all three bridge bents dissipated significant amount of higher energy under long duration motions as compared to the spectrally matched short duration motions. Figure 15A depicts that the steel-RC bridge bent is unable to withstand for the whole duration of the long duration ground motions and dissipated 29.6 and 16.5% less energy as compared to the SMA-B-T and SMA-B bent, respectively. Under the long duration motions, the SMA-B-T bent dissipated 11% higher amount of energy as compared to the SMA-B bent. As expected, an opposite trend is observed under short duration motions where the steel-RC bent dissipated 17.6 and 7.5% higher energy as compared to the SMA-B-T and SMA-B bent, respectively. A comparison of Figures 15A,B reveal that the steel-RC bridge bent dissipated 15% higher energy under long duration motion as compared to short duration motion. Under long duration motions the SMA-B-T bent dissipated 76% higher energy on average as compared to the spectrally matched short duration motion. These results indicate that when SMA reinforced element undergoes large number of cycles they can sustain these load reversals and dissipate significant amount of energy. These results highlight the benefit of using SMA in regions susceptible to long duration motions, such as in the subduction zones.

Steel

SMA-B-T

20

SMA-B

15

10 Time (sec)

# CONCLUSION

Comparative seismic response of SMA reinforced and Steel-reinforced bridge bents under long-duration motions considering different reinforcement arrangements are presented in this paper. Using validated numerical models, the effect of ground motion duration and the incorporation of SMA rebar in the bridge bents are investigated. Additionally, spectrally equivalent short duration motions are considered for seismic response comparison of the SMA and Steel-reinforced bridge bents. Based on the observed results, the following conclusions are drawn:

- 1. The effect of ground motion duration is significantly affected by reinforcing materials and detailing. The numerical analysis performed in this study indicated that typical steel-reinforced bridge bents are more vulnerable under long-duration motions since they are unable to withstand a large number of load reversals. As a result, they fail to dissipate considerable energy thus accumulate significant damage. In contrast, SMA reinforced bridge bent dissipated a significant amount of energy with an increased number of inelastic displacement cycles thereby reduced the damage potential.
- 2. Bridge bent collapse capacity is considerably affected by the duration of ground motions. Structures under long-duration motions experienced collapse much earlier before reaching their collapse limit state. Under longduration motions, SMA-B-T bent experienced collapse at a maximum drift that is 9% lower than the collapse threshold, whereas under short duration motions the difference is only 2.7%. Similar behavior can also be observed for the SMA- B and steel-RC bent.
- 3. Ground motion duration significantly affects the residual drift demand in bridge bents. The SMA-B-T bent sustained a mean residual drift of 0.58% just before collapse under long-duration motions compared to 0.68% of residual drift under the short duration ground motions.

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4. The inclusion of SMA rebar in the plastic hinge region resulted in a significant transformation in recentering performance as well as improving the collapse behavior considering different performance criteria under the long-duration motions. The SMA reinforced bents sustained greater drift before exceeding a particular performance level. The median  $S_a$  at yielding is 1.05 and 1.18 g for the SMA-B and SMA-B-T bent, respectively, whereas the same for steel-RC bent is 0.94 g.

The present investigation is limited to a single bridge bent type without explicit considerations of uncertainties in bent geometry and constituent materials. Further studies need to be performed considering diverse bent configurations with epistemic uncertainties and accounting for the effects of different types of SMAs for improved understanding of the positive influences of SMA reinforced bridge bents under longduration ground motions.

### DATA AVAILABILITY STATEMENT

All datasets generated for this study are included in the article/supplementary material, further inquiries can be directed to the corresponding author.

## **AUTHOR CONTRIBUTIONS**

JR: investigation, methodology, formal analysis, and validation, writing—original draft, and visualization. AB: conceptualization, writing—review and editing, supervision, funding acquisition, resources, and software. All authors contributed to the article and approved the submitted version.

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**Conflict of Interest:** The authors declare that the research was conducted in the absence of any commercial or financial relationships that could be construed as a potential conflict of interest.

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