

OPEN ACCESS

EDITED BY Plamen Ch. Ivanov, Boston University, United States

REVIEWED BY
Wei Wu,
University College London, United Kingdom

*CORRESPONDENCE
Andrew S. Johnson,

■ asj@feldspa.com
William Winlow,
■ bill.winlow@gmail.com

RECEIVED 10 July 2025 ACCEPTED 22 September 2025 PUBLISHED 08 October 2025

CITATION

Johnson AS and Winlow W (2025) The nature of quantum parallel processing and its implications for coding in brain neural networks: a novel computational mechanism. *Front. Netw. Physiol.* 5:1632144. doi: 10.3389/fnetp.2025.1632144

COPYRIGHT

© 2025 Johnson and Winlow. This is an openaccess article distributed under the terms of the Creative Commons Attribution License (CC BY). The use, distribution or reproduction in other forums is permitted, provided the original author(s) and the copyright owner(s) are credited and that the original publication in this journal is cited, in accordance with accepted academic practice. No use, distribution or reproduction is permitted which does not comply with these terms.

The nature of quantum parallel processing and its implications for coding in brain neural networks: a novel computational mechanism

Andrew S. Johnson* and William Winlow*

Dipartimento di Biologia, Università degli Studi di Napoli Federico II, Napoli, Italy

Conventionally it is assumed that the nerve impulse is an electrical process based upon the observation that electrical stimuli produce an action potential as defined by Hodgkin Huxley (1952) (HH). Consequently, investigations into the computation of nerve impulses have almost universally been directed to electrically observed phenomenon. However, models of computation are fundamentally flawed and assume that an undiscovered timing system exists within the nervous system. In our view it is synchronisation of the action potential pulse (APPulse) that effects computation. The APPulse, a soliton pulse, is a novel purveyor of computation and is a quantum mechanical pulse: i.e., It is a non-Turing synchronised computational event. Furthermore, the APPulse computational interactions change frequencies measured in microseconds, rather than milliseconds, producing effective efficient computation. However, the HH action potential is a necessary component for entropy equilibrium, providing energy to open ion channels, but it is too slow to be functionally computational in a neural network. Here, we demonstrate that only quantum non-electrical soliton pulses converging to points of computation are the main computational structure with synaptic transmission occurring at slower millisecond speeds. Thus, the APPulse accompanying the action potential is the purveyor of computation; a novel computational mechanism, that is incompatible with Turing timed computation and artificial intelligence (AI).

KEYWORDS

network physiology, action potential, soliton, APPulse, computation, brain neural network

Understanding the action potential and the action potential pulse

The physiological action potential is the orthodox action potential described in detail by Hodgkin and Huxley (1952) (HH). The action potential was conceived as the purveyor of messages from one area of the body to another based upon electrophysiological methods of investigation and theories of computation available in the middle and late 20th century. Neural control was demonstrated to be to be frequency based on stimulation, in that higher frequencies could stimulate muscles to a greater extent, and later those sensory organs like muscle spindles and the rods and cones of the eye produced higher frequency action potentials on stimulation. Computation was still in its infancy and the prevalence of transistors in electronic circuitry led to the understandable orthodoxy that binary computation by analogy was assumed to facilitate computation. The apparent binary nature of the action potential, with its profound spike (Figure 1A), seemed to verify this

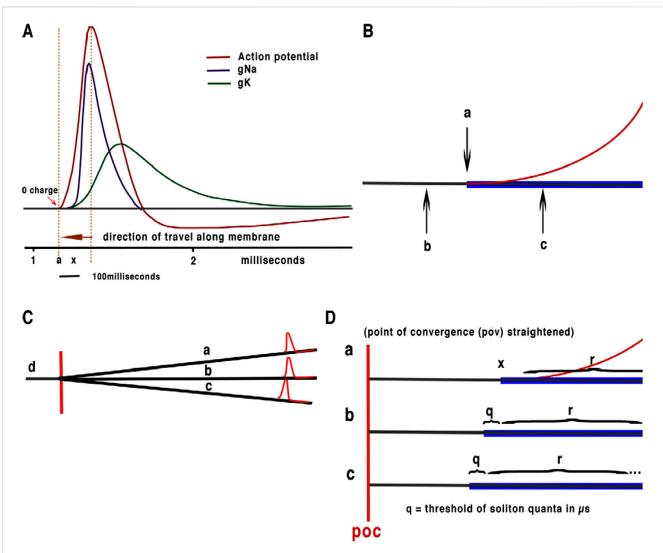


FIGURE 1

(A) Simplified Hodgkin Huxley action potential showing beginning of charge from ion channel release and the part of membrane affected by propagation at 0 relative charge at point of threshold. (B) Illustration of detail of threshold of HH action potential with membrane shown in black, mechanical "soliton" pulse in blue and charge in red. (C) Illustration of convergence of neurons without synapses. a, b and c axons converge with output to d, this type of convergence is ubiquitous in brain neurons with convergence often taking place on the soma of neurons. The point of convergence is marked in red: note that this process is forward feeding withinterference between APPulse taking place at the point of computation. (D) is an illustration of quantum processing. a, b and c represent the same converging axons as in (C) with the point of computation extended (illustrative purposes only). q and r represent the threshold and refractory period, x represents the beginning of the soliton and the release of current. q is the precision of the quantum 1 microsecond. R is the refractory period. The axon distance of the point of computation (POC) is infinitesimally small indicating near zero latency during computation from the soliton part of the APPulse. The soliton propagates the action potential as it is this part of the APPulse that opens subsequent ion channels. The initial part of the soliton is therefore the quantum: marked as point x on neuron a. The effective quantum is illustrated in (D) b. where the quantum represented by q is equivalent to the abrupt portion of the mechanical "soliton" pulse which opens the ion channels to begin the upward charge of the HH action potential with the remainder of the soliton mirroring the refractive state r of the membrane. (D) c illustrates a third APPulse a single quantum in advance of (D) b and two quanta beyond (D) a. (D) c as it reaches the point of computation first will annul both (D) a and (D) b effectively producing a single output.

philosophy. Transmission of impulses therefore became synonymous with the action potential and computation became addressed by the connections between neurons at the point they met other neurons, the synapses.

Abbreviations: HH, Hodgkin Huxley (1952); Al = Artificial intelligence; AP, Action potential; APPulse, action potential pulse.

The original description of the action potential (HH) does not include a plausible or possible mechanism for propagation, latency, accuracy, or entropy. Furthermore, Cable theory (Poznanaski, 2013) can only explain the opening and closing of ion channels along the membrane within limits of the available active charge (Figure 1a). What is clear from the early papers and the description of the action potential is that the rise in current (associated with voltage change) starting from resting potential is described as threshold. At this point, there is no charge placed on the leading edge of the action

potential that can trigger propagation from the ion channels by electrical charge (Figure 1). Significantly, Ion channels positioned in the membrane are spaced too infrequently and too remotely for charge from one to affect another (Johnson, 2015; Johnson and Winlow, 2018). Hodgkin and Huxley (HH) describe the current and charge flowing through the membrane from the point of threshold to the end of the refractory period, but at no point do they describe propagation or what leads to propagation or latencies.

Synapses

Synapses convey an action potential from one neuron to the next and studies soon showed that modulating synapses could inhibit and change the latency of connection. This is a form of simple computation, but synapses function at a slower rate than action potentials with latencies typically in the millisecond to 100 ms range and can exhibit both chemical excitation and inhibition. However, they are unstable over the computational limits of the APPulse, i.e., in the microseconds range (Johnson, 2015; Johnson and Winlow, 2018; Winlow and Johnson, 2021). In the retina and auditory system, synapses are separated from each other by a distance that makes communication unpredictable and thus computationally ineffective (Johnson and Winlow, 2019). Conventional models using spikes and back propagation to model computation, such as Spinnaker and the Blue-Brain takes the AP peak as the quantum point of computation and circumvent timing error by using a series of inventive algorithms (Furber and Bogdan, 2020, Bluebrain), rather than considering the actual mechanisms involved.

Computation between neurons has previously been centred on the behaviour and connectivity of synapses and not the intricate nature of the pulse or the computation required in a brain neural network. Frequency computation by quantum pulses is little understood and analogy to conventional binary computation has become the orthodoxy. The action potential has therefore become the model for computation in the brain which has been assumed to act via synapse modulation both binary and analogue. This model is only sustainable for simple activity such as basic muscle control or to explain increased frequencies of neurons to sensory activity. The poor outcomes of the HH action potential and synapse computation are discussed elsewhere (Drukarch and Wilhelmus, 2025; Galinsky and Frank, 2025; Walter et al., 2016; Winlow and Johnson, 2020; Winlow et al., 2025; Johnson and Winlow, 2017; Johnson and Winlow, 2018; Johnson and Winlow, 2019). Furthermore Iwasa and Gibbons (1980), Tasaki (1988) and Tasaki (1989) noted that a mechanical pulse accompanied the action potential, leter reviewed and improved upon by Heimberg (2005). and evidenced by El Hady and Machta (2015), but many questions yet remain However, in 2018 (Johnson and Winlow, 2018), we suggested that the mechanical pulse could be maintained from the perturbations of the ion channels and explained how this provided a more plausible mechanism for propagation than cable theory (Figure 1A). The no-charge state is evident from the initiation of the action potential thus showing that the threshold holds no charge, (Figure 1B).

In our view propagation of the action potential occurs by soliton mechanical forces as acting on the ion-gates (Johnson and

Winlow, 2018; Johnson and Winlow, 2020; Winlow and Johnson, 2020; Winlow and Johnson, 2021) We named this combined structure the action potential pulse (APPulse) that is a logical combination of both the HH action potential and the soliton pulse. The APPulse describes the propagation of the action potential at the level of the membrane: as a soliton approaches an ion channel the channel mechanically opens. Entropy is then transferred to the soliton to continue the cycle. The opening of the ion gates producing the HH action potential with the ionic currents provides the entropy required for maintaining the ongoing soliton thus adding the functionality of feed-forward computation. The soliton APPulse concept is that of a moving perturbation of the lipid membrane surface, as optically demonstrated with defined values (Heimburg and Jackson, 2005) such that wave collisions induce entanglement, depending on the interactions between them. The resulting APPulses from the neural network are thus frequency bound to the computation. In the soliton APPulse hypothesis the entropy from the opening of the ion-gates by mechanical forces from a soliton is passed to the soliton to maintain its propagation-thus it is the soliton that propagates not the HH ion exchange.

The threshold of the APPulse is the moment the ion-gates open and leads to immediate refraction of the membrane until the ion concentrations re-equilibrate (Johnson and Winlow, 2018). The soliton pulse thus retains its integrity by addition of energy from the opening of the ion gates. Solitons annul on collision as does the HH action potential, as both, in this model, are refractory immediately after the ion channels open, but will leave the soliton to progress. The threshold of the soliton is derived from the energy generated by the opening of ion channels in the nerve terminal membrane, and this becomes the physical quantum responsible for computation (Figures 1C,D) which must operate in the microsecond range or below as previously demonstrated in the retina (Johnson and Winlow, 2019).

Computation by the APPulse

The APPulse computes by collisions with other APPulses at a point of converging neuron membranes, this causes the frequencies of the resulting APPulse to change accordingly. When computation takes place in a network timing is provided by the synchronization of APPulse. Both the soliton pulse and the action potential have inherent similarities and they both have a threshold for computation. Both the soliton pulse and the action potential have inherent similarities and they both have a threshold for computation. Both have refractory states with the result that two colliding APPulses will annihilate as in the HH experiments. We have concluded that measurement of the physiological HH action potential is inherently unstable with precision only in the 10-4 s range and is unreliable (Johnson and Winlow, 2018; Johnson and Winlow, 2024), whether taken from its threshold (or the spike peak). This leads to inaccuracy of latencies and speed whenever measured (Figures 1B-D). Timing of computation by the HH action potential is therefore restricted to tenths of milliseconds or greater, which is unfeasible considering the rapidity of perceived responses. In 2019 we demonstrated a functioning circuit diagram of the retina

1. Cancellation of AP quanta iii and iv. DOC E Viii POC Viii Viiii POC AP quantum iii with AP quantum iv delayed by q+n. DOC AP quantum iii with AP quantum iv delayed by q+n.

FIGURE 2
Representation of three axons (right to left) converging to a point of computation POC, synapses in green. In 1, 1. x is the distance/time between concurrent APs along axon a with a quantum shown in yellow. x is the relative latency between AP i and ii. AP iii and iv are cancelled due to overlapping the refractory membrane caused by leading AP i resulting in v, vi, vii and viii. 2. AP iv is retarded by q + ⁿ from leading quantum i where n is the timing of quantum q (see Figure 1), leading to iv passing POC without cancellation resulting in additional AP ix and xi, which is a demonstration of computation and change of phase/frequency of a, b, and c.

using frequency computation of successive APPulses where timing of converging action potentials must be in the microsecond range or less, using a mathematical evaluation of the rate of mean sampling required to explain the observed input output frequencies of converging APs. Synapses are therefore relegated from this computational method to secondary computation where synapses have both excitatory and inhibitory modification of the computation on a slower timescale. As we explained in the retina (Johnson and Winlow, 2019), they downgrade activity from the cones in low light in favour of the rods. Whereas the action potential acts over milliseconds and its intrinsic speed is subject to variation the APPulse threshold is fixed in the microsecond range and is unaffected by outside influences such as ionic changes. It is only affected by changes to the structure of the membrane, remaining stable over the timescale of the APPulse (Winlow and Johnson, 2020). This is because the APPulse threshold is defined by the abrupt beginning of the soliton pulse flowing along a fixed membrane whose composition does not change (Heimburg and Jackson, 2005), whereas the action potential alone is susceptible to changes in membrane diameter, thickness, composition, and the surrounding medium. It is this precision of the APPulse that forms the basis of fixed latencies of transmission when measurements are taken from the beginning of the 'soliton threshold'. The threshold and latency

are therefore defined by the soliton and not the physiological action potential. This difference is of importance when considering computation. Note that a parallel APPulse theory can also explain the latencies in myelinated nerves (Johnson and Winlow, 2018).

Quantum APPulse and computation in the brain

As can be seen from the above, the speed and therefore latency of AP is fixed to the properties of the membrane as per experimental studies while collisions between converging APs cancel according to the properties of both HH and the quantum pulse structure. Quanta have a separation of at least 10^{-6} s (Johnson and Winlow, 2019), in other words separation must cover less than 10^{-6} of a metre when the APPulse travels at 1 m/s. When collisions occur, computation takes place using both the quantum and the subsequent refractory period which blocks subsequent APPulses, i.e., it is frequency modulated ternary computation using threshold, membrane refraction, and time (Figure 2).

The quantum, or threshold as it was known for the Hodgkin Huxley action potential, must be less than the frequency of an AP.

Any two lesser frequencies combining will have the same quantum value; this is analogous to quantum entanglement, as each quantum has the same value to computation. In other words, two quanta one of 1µs and one 0.5µs are equal. This adaptation and combination of both the HH and Heimburg\Tasaki theories is essential to explain the higher and previously unconsidered functioning of neurons such as computation especially within a parallel brain neural network. Consequently, computation within the brain neural network is facilitated by the leading edge of the mechanical 'soliton' pulse and not the Hodgkin Huxley action potential which only provides the necessary energy for onward propagation. Computation within a nervous neural network is intrinsically linked to frequency, a fundamental aspect of this is the latency between points of contact. Johnson and Winlow (2018) described how quanta redact other quanta in computational terms. In a network filled with colliding quanta, frequencies will change according to the changing of input frequencies as the quanta either combine or redact as demonstrated in the retina (Johnson and Winlow, 2019). Note that the retina is a multi-layered forward feed network allowing cross-calculations facilitated by horizontal cells and amacrine cells, where any form of synapse-oriented computation is negated by critical timing, before successive outputs are coded in parallel by the optic nerve to the lateral geniculate nucleus.

Conventional computing using timed Turing processing is incompatible with the activity and computation within the brain because both AI and quantum computing have both different logic and mechanical components compared with computation in the brain. Frequency based computation therefore appears to be the fundamental computational method used in nature. Thus, there is no mechanism for either central timing to effect synchronisation nor adequate time for synapses to affect other synapses before perception in real time. Quantum computation in neurons takes place at the speed and precision of the APPulse quantum with accuracy in the microsecond range. By extension all other computation in the brain must act similarly as the histology of neuronal convergences and synapse location are ubiquitous. Almost all neuron - synapse to neuron connections are direct and change connectivity by changes in latency. The nature of the quantum is one of a pressure-wave able to open ion channels in order facilitate propagation of the action potential and thus provide ongoing entropy for the soliton (Johnson and Winlow, 2017; Johnson and Winlow, 2018; Johnson and Winlow, 2019).

The APPulse is essential to neural computation, and it explains how propagation occurs at the molecular level with the speed of ion channel opening and closing and the concomitant 'soliton pulse' facilitated in microseconds. The APPulse redacts with precision at each-and-every APPulse interference, producing theoretically an unlimited number of concise error free parallel inputs and outputs into the network—this is impossible with conventional computing. Synchronisation and memory are formed simultaneously within non-defined loops within the network cortex areas by loops formed from the network (Winlow and Johnson, 2020; Winlow and Johnson, 2021; Winlow et al., 2025). Many of these synchronised loops have recently been evaluated such as cortico-thalamic loops (Winlow and Johnson, 2020) and we have discussed memory elsewhere (Winlow and Johnson, 2020; Winlow et al., 2025; Johnson and Winlow, 2017; Johnson and

Winlow, 2018; Johnson and Winlow, 2019; Johnson and Winlow, 2021). Loop connections create an active circulation of AP along two or more neurons where synapses reconnect. That such mechanisms can be functionally described by the components of the APPulse is itself evidence of its accuracy, and we have extended this theory to include the perception of objects and the elucidation of synchronicity in the whole brain (Winlow et al., 2023).

Synapses are an essential part of this process. They separate cellularly diverse structures where each neuron, its shape morphology and physical location have a functional basis. This redistribution of circulating synchronised memory is essential in learning and is predetermined by the plasticity inherent in the synapses. We suggest (Johnson and Winlow, 2024) that synapses act as changers of latency in an inherently plastic environment. Thus, a brain neural network is by no means fixed in functional form but adjusts according to activity.

Computation is therefore frequency-based and dependent on the length of the refractory period being many times greater than that of the quantum. Computation through a parallel network is not therefore time dependent but is dependent upon the frequency changes of the signal quantum, error free at each stage. Thus, there is no common element that exists between the evidence of nerve transmission and current conventional computational models, or indeed in computational science. The importance of error management cannot be understated as it permits lossless signalling of quantal information along parallel neurons.

Conclusion

Until now, frequency modulated computation has not been considered by computer scientists and has followed conventional almost exclusively binary and 'clocked' computation. Their assumption that commercial success defines the workings of the brain is therefore unsupportable. We propose that the APPulse and quantum frequency computation is the correct neural mechanism for computational physiology of nervous communication and provides far greater efficiency and effectiveness for computation as it eradicates error that exists within *in silico* and other Turing based systems.

- It is clear from the evidence that HH cannot account for the precision needed to facilitate parallel computation in the brain. The flawed assumption that the brain is a Turing machine is based upon accurate timing and synchronising the whole neural network with a centralised clock, but has no basis. Using the APPulse a central clock is unnecessary because computational events synchronise during frequency computation across parallel threads.
- The quantum element of the APPulse takes the form of the mechanical opening of the ion-gates at the point of threshold by the pulse and is essential for synchronised parallel computation.
- The HH action potential is therefore a mechanism for entropy exchange enabling the pulse to continuously propagate along the membrane with the ion channels opening on mechanical stimulus from the leading edge of the soliton.

- The novel computational systems of frequency-based quantum processing we have described are ubiquitous in biological neural networks. Network Parallel computation is similar to what occurs in conventional parallel circuits, except that the quantum is defined in ternary terms, where the quantum and the refractory period are +1 and -1 and timing denotes whether inputs are 0.
- Conventional contemporary AI and quantum computation are not new technology but merely an attenuation of Turing technology by using algorithms that better select similarities by probability matching. They bear no relation to the computational method of the brain,
- · This is frequency computation and is a novel concept. This hypothesis is highly relevant to both the medical community in an understanding of brain diseases and computation where it demonstrates a different, higher level of computation. The APPulse is a combined HH/soliton pulse able to synchronise frequency at point of convergence with other APPulse. It satisfies the discrepancies in HH and explains observations of computational process and the functioning of neurons, explaining how neurons compute by latency between converging membranes. The parallel neural circuits in the brain formed from these membranes are multi-connected, such that they form a small-world network where each impulse can reach all neurons within that network in 3 steps. Computation then occurs not through timing (Turing) as in conventional computation but by synchronisation of APPulses leading to output. This synchronisation is analogous to the gate timing of conventional computers and corresponds to the time taken for the soliton to open the ion channels. If an APPulse passing through the membrane of a neuron encounters another out of phase the trailing APPulse will cancel leading to a change of frequency measured in microseconds: thus, output computation in the neural networks changes as frequency of APPulse inputs change respectively, as each collision creates new pathways.

Data availability statement

The original contributions presented in the study are included in the article/supplementary material, further inquiries can be directed to the corresponding authors.

References

Brzychczy, S., and Poznanski, R. R. (2013). Mathematical neuroscience. Heimburg: Academic Press.

Drukarch, B., and Wilhelmus, M. M. (2025). Understanding the scope of the contemporary controversy about the physical nature and modeling of the action potential: insights from history and philosophy of (neuro)Science. *OBM Neurobiol.* 9 (1), 1–25. doi:10.21926/obm.neurobiol.2501269

El Hady, A., and Machta, B. (2015). Mechanical surface waves accompany action potential propagation. *Nat. Commun.* 6, 6697. doi:10.1038/ncomms7697

Furber, S., and Bogdan, P. (2020). SpiNNaker: a spiking neural network architecture (Boston-Delft: now publishers). United Kingdom: University of Manchester. doi:10. 1561/9781680836523

Galinsky, V. L., and Frank, L. R. (2025). The wave nature of the action potential. Front. Cell. Neurosci. 19, 1467466. doi:10.3389/fncel.2025.1467466

Author contributions

AJ: Conceptualization, Formal Analysis, Investigation, Methodology, Writing – original draft, Writing – review and editing. WW: Formal Analysis, Methodology, Supervision, Writing – review and editing.

Funding

The author(s) declare that no financial support was received for the research and/or publication of this article.

Conflict of interest

The authors declare that the research was conducted in the absence of any commercial or financial relationships that could be construed as a potential conflict of interest.

The author(s) declared that they were an editorial board member of Frontiers, at the time of submission. This had no impact on the peer review process and the final decision.

Generative AI statement

The author(s) declare that no Generative AI was used in the creation of this manuscript.

Any alternative text (alt text) provided alongside figures in this article has been generated by Frontiers with the support of artificial intelligence and reasonable efforts have been made to ensure accuracy, including review by the authors wherever possible. If you identify any issues, please contact us.

Publisher's note

All claims expressed in this article are solely those of the authors and do not necessarily represent those of their affiliated organizations, or those of the publisher, the editors and the reviewers. Any product that may be evaluated in this article, or claim that may be made by its manufacturer, is not guaranteed or endorsed by the publisher.

Heimburg, T., and Jackson, A. D. (2005). On soliton propagation in biomembranes and nerves. *Proc. Natl. Acad. Sci. U. S. A.* 102. 28, 9790–9795. doi:10.1073/pnas. 0503823102

Hodgkin, A. L., and Huxley, A. F. (1952). A quantitative description of membrane current and its application to conduction and excitation in nerve. *J. Physiology* 117 (4), 500-544. doi:10.1113/jphysiol.1952.sp004764

Iwasa, I. T., and Gibbons, R. C. (1980). Swelling of nerve fibers associated with action potentials. *Science* 210 (4467), 338–339. doi:10.1126/science.7423196

Johnson, A. S. (2015). The coupled action potential pulse (APPulse)-Neural network efficiency from a synchronised oscillating lipid pulse hodgkin huxley action potential. *EC Neurol.* 2, 94–101.

Johnson, A. S., and Winlow, W. (2017). Computing action potentials by phase interference in realistic neural networks. EC Neurol. 5 (3), 123-134.

Johnson, A. S., and Winlow, W. (2018). The soliton and the action potential: primary elements underlying sentience. *Front. Physiology* 9, 779. doi:10.3389/fphys.2018.00779

Johnson, A. S., and Winlow, W. (2019). Are neural transactions in the retina performed by phase ternary computation? *Ann. Behav. Neurosci.* 2 (1), 223–236.

Johnson, A. S., and Winlow, W. (2021). Does the brain function as a quantum phase computer using phase ternary computation? Front. Physiology 12, 572041. doi:10.3389/fphys.2021.572041

Johnson, A. S., and Winlow, W. (2024). Neurocomputational mechanisms underlying perception and sentience in the neocortex. *Front. Comput. Neurosci.* 18, 1335739. doi:10.3389/fncom.2024.1335739

Tasaki, A. (1988). A macromolecular approach to excitation phenomena: mechanical and thermal changes in nerve during excitation. *Physiol. Chem. Phys. Med. NMR.* 20 (4), 251–268.

Tasaki, K. K., and Byrne, P. M. (1989). Rapid mechanical and thermal changes in the garfish olfactory nerve associated with a propagated impulse. *Biophys. J.* 55 (6), 1033–1040. doi:10.1016/S0006-3495(89)82902-9

Walter, F., Röhrbein, F., and Knoll, A. (2016). Computation by time. Neural Process. Lett. 44 (1), 103-124. doi:10.1007/s11063-015-9478-6

Winlow, W. (1989). "The plastic nature of action potentials," in *The cellular basis of neuronal plasticity - physiology, morphology and biochemistry of molluscan neurons*. Editor A. G. M. Bulloch (UK: Manchester University Press), 3–27.

Winlow, W., and Johnson, A. S. (2020). The action potential peak is not suitable for computational modelling and coding in the brain. *EC Neurol.* 12 (4), 46–48.

Winlow, W., and Johnson, A. S. (2021). Nerve impulses have three interdependent functions: communication, modulation, and computation. *Bioelectricity* 3 (3), 161-170. doi:10.1089/bioe.2021.0001

Winlow, W., Fatemi, R., and Johnson, A. S. (2023). Classical and non-classical neural communications. *OBM Neurobiol.* 7 (3), 1-11. doi:10.21926/obm.neurobiol.2303181

Winlow, W., Polese, G., and Johnson, A. (2025). Passing the wave - how does the action potential pulse pass between axons and dendrites? EC Neurol. 17 (1), 01–05.